WHAT SHOULD YOU DO IF YOU ARE RAPED OR SEXUALLY ASSAULTED?

- Go to a safe place where you can get help
- 2. Tell someone you trust what happened as soon as possible
- 3. Do not throw away your clothes or wash yourself
- 4. Put the clothes you were wearing in a paper bag or wrap them in newspaper
- Go to a hospital as soon as possible 5.
- FAULT OF THE PERSON WHO WAS RAPED, ABUSED, VIOLATED OR HARASSED! 6. It is advisable to report the rape to the police
- Tell the police if you are threatened by the 7. perpetrator at any time
- 8. Get treatment and medication within 72 hours to prevent HIV, other sexually transmitted infections and pregnancy

GET HELP AND SUPPORT

If you or someone you know is being sexually harassed or abused, get help to stop the abuse. Speak to someone you trust, tell your school, go to your local police station or phone one of the following national numbers:

SAPS Crime Stop:	086 0
SAPS Emergency Number:	10111
Childline:	0800
Lifeline:	011 78



REMEMBER

1 2337/0861 322 322

010 111

055 555

Department of Basic Education National Hotline: 0800 20 29 33





MATHEMATICS IN ENGLISH GRADE 6 – BOOK 1 • TERMS 1 & 2 ISBN 978-1-4315-0037-6 THIS BOOK MAY NOT BE SOLD. **13th Edition**

MATHEMATICS Ħ ENGLISH ဌ áde σ Book



Name:

Grad

Revised and CAPS aligned



No.	Title	Pg.				
Rla	Base Ten counting	j ii				
RIb	Base Ten counting (continued)	iv				
R2a	Numbers 0 to 100 000	vi				
R2b	Numbers 0 to 100 000 (continued)	viii				
RЗа	Addition and Subtraction					
RЗЬ	Addition and Subtraction (continued)					
R4a	Multiplication and multiples	xiv				
R4b	Multiplication and multiples (continued)	xvi				
R5a	Division and factors	xviii				
R5b	Division and Factors (continued)	xx				
R 6 a	Operations	xxii				
R7a	Ratio and Rate	xxiv				
R7b	Ratio and Rate (continued)	xxvi				
R8a	Fractions	xxvii				
Rgp	Money and fractions	ххх				
R9	Party time with fractions	xxxii				
RIO	How far for how long?	xxxiv				
RII	Area and perimeter	xxxvi				
RI2	Volume	xxxviii				
RI3	Mass and weight	xl				
RI4	2-D shapes and 3-D objects	xlii				
RI5a	Shapes	xliv				
RI5b	Shapes (continued)	xlvi				
RI6	Data handling	xlviii				
la	How many do you count? Numbers to 10 000	2				
lb	How many do you count? Numbers to 10 000 (continued)	4				
2	Numbers 0 to 100 000	6				
3	More numbers 0 to 100 000	8				
4	Properties of numbers	10				
5	More properties of number	12				
6a	Addition and subtraction up to 5-digit numbers	14				
6b	Addition and subtraction up to 5-digit numbers (continued)	16				
7a	Subtraction up to 5-digit numbers	18				
7b	Subtraction (continued)	20				
8a	More addition and subtraction up to 5-digit numbers	22				
8P	More addition and subtraction up to 5-digit numbers (continued!)	24				
qa	Fractional notation	26				
Чb	Fractional notation (continued)	28				
IOa	Equivalent fractions and more	30				
IOP	Equivalent fractions and more (continued)	32				
l0c	Equivalent fractions and more (continued)	34				
II	Addition and subtraction of fractions	36				
12	More addition and subtraction of fractions	38				
13	Fractions of whole numbers (proportional sharing)	40				
14	Percentages and fractions	42				
15	Percentages and decimals	44				
16a	Time	46				
16b	Time (continued)	48				
17a	More time	50				
17Ь	More time (continued)	52				
18ª	2-D shapes and sides	54				
18P	2-D shapes and sides (continued)	56				
18c	2-D shapes and sides	58				
19a	Circles	60				

No.	Title	Pg.
19b	Circles (continued!)	62
20	Frequency tables	64
 21	Mean, median and mode	66
 22		68
	Read graphs and interpret bar graphs and pie charts	
 23	Questionnaires	70
24a	All about number patterns	72
24b	All about number patterns (continued)	74
25a	Numbers 0 - 200 000	76
25b	Numbers 0 – 200 000 (continued)	78
26	Rounding off	80
27	Rounding off to the nearest five	82
28	Multiplication and prime factors	84
29	Multiplication and the distributive property	86
30	More on multiplication and the distributive property	88
31	Multiplication using expanded notation and the vertical column methods	90
32	Multiplication and rounding off	92
33	3-D objects	94
34	Describing 3-D objects	96
35	Geometric patterns	98
36	Describing geometric patterns	100
37	Geometric patterns and tables	102
38	Refection symmetry	104
39	More refection symmetry	106
40a	Sharing and grouping problems	108
40ь	Sharing and grouping problems (continued!)	IIO
41	Rate	112
42	Ratio	114
43	Factors	116
44a	Grouping and sharing	118
44b	Grouping and sharing (continued!)	120
45	Division	122
46	More division	124
47	Division: multiple operations on whole numbers with or without brackets	126
48	Fractions through measurement	128
49	More fractions through measurement	130
4 1 50a	Fractions	132
504 506	Fractions (continued)	134
50b 51a	More fractions	136
5lb	More fractions (continued!)	138
52	Decimal notation	140
53	More decimal notation	140
54	Time in decimal form	142
55	Money	144
56	Adding and subtracting decimals	148
57	Adding and subtracting more decimals	150
58	More adding and subtracting more decimals	150
59	Place value of digits to at least two decimal places	152
60		154
	Compare and order decimal fractions to at least two decimal places	
61	Multiplying with decimals	158
62	Volume and capacity	160
63	Estimating, measuring and recording capacity	162
64a	Millilitres to kilolitres	164
64b	Millilitres to kilolitres (continued)	166



Mrs Angie Motshekga. Minister of Basic Education

These workbooks have been developed for the children of South Africa under the leadership of the Minister of Basic Education, Mrs Angie Motshekga, and the Deputy Minister of Basic Education, Dr Reginah Mhaule.

The Rainbow Workbooks form part of the Department of Basic Education's range of interventions aimed at improving the performance of South African learners in the first six grades. As one of the priorities of the Government's Plan of Action, this project has been made possible by the generous funding of the National Treasury. This has enabled the Department to make these workbooks, in all the official languages, available at no cost.

We hope that teachers will find these workbooks useful in their everyday teaching and in ensuring that their learners cover the curriculum. We have taken care to guide the teacher through each of the activities by the inclusion of icons that indicate what it is that the learner should do.

We sincerely hope that children will enjoy working through the book as they grow and learn, and that you, the teacher, will share their pleasure.

We wish you and your learners every success in using these workbooks.

Published by the Department of Basic Education 222 Struben Street Pretoria South Africa © Department of Basic Education Thirteenth edition 2023



Dr Reginah Mhaule Deputy Minister of Basic Education

ISBN 978-1-4315-0037-6

This book may not be sold.

The Department of Basic Education has made every effort to trace copyright holders but if any have been inadvertently overlooked the Department will be pleased to make the necessary arrangements at the first opportunity.











Base Ten counting continued

Revision

2. Write down how many apples you count.



These bags, crates and trucks are filled with the same number of apples as above. Write down the total number of apples each time.





Term 1

iv

2

3

5

6

8

7

9

10

11

12

14

13

 \bigcirc

R16

3. The number of objects in each box is shown. Write down the total number of objects in all the boxes.



۲

15

- Place the cards face down on your desk.
- You choose five cards and your partner chooses five.
- See who can give the total the quickest.
- Check your partner's answer.Do the same with 6/7/8/9/10
- cards.

23 24 25 26 27 28 29

- The person with the most correct answers is the winner.

Date:

۷

30

18 19

20

21

22

Numbers 0 to 100 000



R₂a

2. Write the number in the correct column:
--

		Ten Thousands	Thousands	Hundreds	Tens	Units
a.	8 756		8	7	5	6
b.	4 089					
C.	63 108					
d.	59 290					
e.	30 100					
f.	48 300					
g.	92 520					
h.	6 100					
i.	81 150					
j.	75 230					

3. Complete the following using the first question to guide you.

(

15



Numbers 0 to 100 000 continued

4. Complete the table below. The examples will help you.

		Expanded notation	Words
a.	5 689		
b.	3 089		
C.	40 312	40 000 + 300 + 10 + 2	
d.	70 001		
e.	98 304		Ninety-eight thousand three hundred and four
f.	60 244		
g.	50 025		
h.	32 344		
i.	22 999		
j.	100 304		

Rounding off to the nearest thousand.

If the **hundreds** digit is a 0, 1, 2, 3 or 4, round off the number to the previous (lower) thousand.

Example: 2 374 rounded off to the nearest thousand is 2 000.



5

6

If the **hundreds** digit is a 5, 6, 7, 8 or 9, round off the number to the next (higher) thousand. Example: 2 674 rounded off to the nearest thousand is 3 000.



7

8

9

10

11

Term 1

R2b

5.	Complete	the	table.	The	examples	will	help	you.
----	----------	-----	--------	-----	----------	------	------	------

•		-		
		Round off to the nearest 10	Round off to the nearest 100	Round off to the nearest 1 000
a.	38 764	38 760	38 800	39 000
b.	21 349			
C.	9 999			
d.	10 256			
e.	2 365			
f.	1 023			
g.	58 326			
h.	75 899			
i.	95 100			
j.	4 652			
k.	2 963			
Ι.	7 456			
m.	98 365			
n.	15 126			
О.	17 023			
p.	14 896			



17 18 19 20

24 25 26 27 28 29

ix

Addition and Subtraction

Revision



۲

Term 1



3. Complete the table.

15

16

		Complete to the next 10	Complete to the next 100	Complete to the next 1 000
a.	348	348 + 2 = 350	348 + = 400	348 + = 1 000
b.	764	764 + = 770	764 + = 800	764 + = 1 000
C.	3 549	3 549 + = 3 550	3 549 + = 3 600	3 549 + = 4 000
d.	2 176	2 176 + = 2 180	2 176 + = 2 200	2 176 + = 3 000
e.	5 398	5 398 + =	5 398 + =	5 398 + =

17 18 19 20 21 22 23 24 25 26 27 28 29

4

۲

•

xi

30

continued 🖝



Addition and Subtraction continued

Examples:

R3b

32 783 + 2 129	
= 30 000 + 2 000 + 700 + 80 + 3 + 2 000 + 100 + 20 + 9	
= 30 000 + 4 000 + 800 + 100 + 12	
= 30 000 + 4 000 + 900 + 10 + 2	
= 34 912	

	3	3	9	8	5	
+	3	0	0	0	0	(30 000 + 0)
		3	0	0	0	(1 000 + 2 000
			9	0	0	(200 + 700)
				7	0	(40 + 30)
				1	5	(8 + 7)
+		2	7	3	8	
	3	1	2	4	7	
EXC	JULI	pie	Ζ.			

0)

4. Use both methods above to calculate the following.

Write down the steps in your calculation in the space below.

a. 42 742 + 52 = b. 38 137 + 251 = c. 72 483 + 6 213 = d. 36 189 + 42 = e. 55 349 + 592 = f. 87 384 + 14 532 =

Continue on an extra sheet of paper.

Term 1

xii

3

4

2

5

6

8

7

9

10 11 12 13 14

Examples: Example 1: Example 2: 48 342 - 2 131 4 8 3 2 4 = 40 000 + (8 000 - 2 000) + (300 - 100) + (40 - 30) + (2 - 1) 2 1 3 1 = 40 000 + 6 000 + 200 + 10 + 1 1 (2 - 1)= 46 211 (40 - 30) 1 0 0 0 (300 - 100)2 6 0 0 0 (8 000 - 2 000) 0 0 0 0 (40 000 - 0) 4 2 1 4 6 1

۲

5. Choose one of the methods above to calculate the following.

card.

1000

100

Write down the steps in your calculation.

۲

10

15

16

a.	98 293 – 71 =	b.	76 543 – 412 =	C.	57 893 – 5 381	=
d.	62 387 - 93 =	e.	44 764 - 999 =	f.	83 759 – 4 793	=
				Continu	ue on an extra shee	et of paper.
	+	Who	t is the size of your nu	umber:		▶ 18 478
	That you need: Use the 10s, 100s and 1 000s dice you made in the previous activity. Piece of paper.	- Ada blue - Writ	o do: the tens (red) dice. d the number landed ont e card. e your addition sum on a the same with the next fo	n piece of p	aper.	32 121 43 352 51 576 28 375

 Learners check each other's additon sums.
 The winner is the person with the most correct answers. Repeat the activity with the 100s and 1 000s dice.

17 18 19 20 21 22 23 24 25 26 27 28 29

xiii

30

Repeat the

subtraction.

activity using

()

Multiplication and multiples

Revision



R4a

1. Fill in the missing numbers and then use the multiplication boards to answer the questions. Write the answers in the spaces provided.

Х	1	2	3	4	5	6	7	8	9	10
1	1	2	3	4	5	6	7	8	9	10
2	2		6	8	10	12	14	16		20
3	3	6	9	12	15		21	24	27	30
4	4	8	12	16	20	24	28	32	36	40
5		10	15	20	25	30	35		45	50
6	6	12	18	24			42	48	54	
7	7	14	21	28	35	42	49	56	63	70
8	8	16	24	32	40	48	56	64		80
9	9	18		36	45	54	63	72	81	90
10	10	20	30	40	50	60	70	80	90	100

۲

- a. Why are these boards called 'multiplication boards'?
- b. Write down 10 of each:

i. Multiples of 8.										
ii. Multiples of 80.										
iii. Multiples of 800.										
iv. N	Nultiples	of 50.								
v. M	ultiples	of 100.								
X	10	20	30	40	50	60	70	80	90	100
100	1000	2000	3000		5000	6000	7000	8000	9000	10000
200	2000	4000	6000	8000	10000	12000		16000	18000	20000
300	3000	6000	9000	12000	15000		21000	24000	27000	30000
400	4000		12000	16000	20000	24000	28000	32000	36000	40000
500	5000	10000	15000	20000	25000	30000	35000	40000		50000
600	6000	12000		24000	30000	36000	42000	48000	54000	60000
700	7000	14000	21000	28000	35000	42000	49000	56000	63000	70000
800	8000	16000	24000	32000	40000	48000	56000		72000	80000
900	9000	18000	27000	36000		54000	63000	72000	81000	
1000		20000	30000	40000	50000	60000	70000	80000	90000	100000
									conti	nued 🖝 🖌

15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

xv

()

Multiplication and multiples continued

Revision

2. Write a multiplication sum and answer for each circle.





R4b



Examples:	
Example 1:	Example 2:
43 x 26	5 7
$= (40 + 3) \times (20 + 6)$	<u>x 38</u>
$= (40 \times 20) + (40 \times 6) + (3 \times 20) + (3 \times 6)$	5 6 (7 x 8)
= 800 + 240 + 60 + 18	4 0 0 (50 × 8)
= 800 + 200 + 40 + 60 + 10 + 8	2 1 0 (7 × 30)
= 1 000 + 110 + 8	+1500 (50 x 30)
= 1000 + 100 + 10 + 8	2 1 6 6
= 1118	

xvi

a. 22 x 24 =	b. 54 x 36 =	c. 3 214 x 2 =	d. 4378 x 9 =	
		Conti	nue on an extra sheet of pap	er.
X	ln o	ne minute I can		
What you need:	What to do			-3
- Use the 10s, 100s 1 000s dice mac previous activity	le in the - Multiply t	ens (red) dice and then a 100s he two numbers. ur multiplication sum on a piece	(3.52'38''v	
 Piece of paper. 	- Repeat of - Learners	doing this until your teacher say check each others' multiplica	/s stop. tion sums.	
10 100	1000 - The winn - Repeat t	er is the person with the most on he activity with the 100s and 1	000s dice.	3

Division and factors

Revision



of those numbers.

1	2	3	4	5	6	7	8	9	10	11	12
13	14	15	16	17	18	19	20	21	22	23	24

Term 1

 \bigcirc

R5a

xviii



12

17 18 19

15

20

21

6 and 60

12 and 120

22 23

24 25 26 27

xix

30

continued 🖝

Division and factors continued

۲

Revision

3. Write a division sum and answer for each circle.



If you cannot remember how many cubes are in each object, go back to Worksheet 1.



Examples:	Example 2:	Example 3:
Example 1:	950 ÷ 50	450 ÷ 25
93 ÷ 3		
= (90 + 3) ÷ 3	$=$ (900 + 50) \div 50	$=$ (400 + 50) \div 25
= (90 ÷ 3) + (3 ÷ 3)	$= (900 \div 50) + (50 \div 50)$	= (400 ÷ 25) + (50 ÷ 25)
= 30 + 1	= 18 + 1	= 16 + 2
= 31	= 19	= 18

7

5

6

8

9

10

11

12

Term 1

۲

R5b

xx



Operations

R6

Term 1

4





2. Complete the sums by replacing the shape with the number.



3. Match the sum in column A with the correct one in column B.



4. Answer true or false. If it is false change the sum to make it true.



How many sums can you find?

17 18 19 20 21 22 23 24 25 26 27 28 29

4

We have found the first two
sums for you:
$4 \times 9 = 9 \times 4$
$9 \pm 3 - 3$

How many similar sums can you find?

15

				_			_		
4	+	=	5	+	4	2	4		3
x	3	9	+	7	x	4	=	7	4
9	6	+	4		5	+	2	=	9
=	8	9	÷	3	=	3	÷	9	0
9	2	+	6		5	=	6		5
x	1	2	+	3	x	5	=	4	+
4	4	=	1	+	4	4	2	=	0
5	+	2	4	=	4	+	3	1	=
2	3	+	8	=	8		3	3	0
1	+	9	x	8	=	8	x	9	5

xxiii

30

Ratio and Rate

Look at the pictures and answer the questions.



Revision

1. A ratio is a comparison between two numbers. Look at the picture below and answer the questions.





6

8

9

10

11

12

13

Term 1

(4)

R7a

1.2 Make drawings to show answers 1a to f, and also

1.3 Write the ratio as a fraction.

15

- 1.4 What is the ratio of the number of apples to all the fruit shown?
- 1.5 What is the ratio of the number of bananas plus the number of apples to all the fruit shown?

17 18 19 20 21 22 23 24 25 26 27 28 2

4

30

continued 🖝

Ratio and Rate continued

۲

2. Look at the table and answer the questions about rate.

R76

Term 1

۲

Per symbol

Revision

Payment	Speed	Measurement
R50 per hour	60 kilometres per hour	R45 per kilogram
10 2 10 2 10 3 10 3 10 10 10 10 10 10 10 10 10 10 10 10 10 1		
ST THERE IN COLUMN AND ADDRESS OF THE OWNER TH	30 skips per minute	R9,50 per litre
Stores and a store sto	111	

- 2.1 Write each statement above using the 'per' symbol.
 - a. R50 per hour is the same as R50/h.



- 2.2 Read the section on the right and answer the questions.
 - a. How far do I travel to class?
 - b. How much money do I earn per month?
 - c. How much do I pay for chicken per month?
 - d. How much do I pay for milk per month?
 - e. How many times do I skip per month?



It takes me 30 minutes to travel to school each day. I work 20 hours part time per month. I love eating chicken and drinking milk. I buy 4 kg of chicken and 20 litres of milk each month. I also exercise by skipping 150 minutes per month.

xxvii

30



(

15

Shopping exercise

What to do:

- Bring an example or rands/kilogram from your home or from a shop.
- Back in class, compare your prices.
- Do all shops ask the same price?

17 18 19 20 21 22 23 24 25 26 27 28 29

Look at the picture and use words such as half, quarter and eighth.



Fractions

• Look at the picture and discuss it in a group.

Revision

80 90 100

- What does it mean when the boy says "I will get one quarter of the juice."
- Show this statement by doing the activity practically.
- Cut the fraction board and two rulers from Cut-out 4 to help you to complete the table below, and to answer the other questions.

	mm	cm	mm = cm
One half $(\frac{1}{2})$ of a metre.	500 mm	50 cm	500 mm = 50 cm
Two quarters $(\frac{2}{4})$ of a metre.			
Three sixths $\left(\frac{3}{6}\right)$ of a metre.			
Four eighths $(\frac{4}{8})$ of a metre.			
Five tenths $(\frac{5}{10})$ of a metre.			
Six twelfths $(\frac{6}{12})$ of a metre.			

Is this true or false?

3

5

6



7

8

9

10

11

12

13

Term 1

xxviii

(4)

R8a



Money and fractions

Look at the picture and discuss it in pairs or groups.



Look at the picture and discuss it in a group. Are they both correct? Explain your answer.

ii) 5c =

ii) R0,09c =

1. Answer the following questions:



a. Imagine the whole diagram of a square represents a R1. What will each small square represent?

Write the following in Rand: ii) 43c =

d. Write the following in cents: ii) R0,25 =

2. Look at the diagrams below that represent R1. What does each red square represent? Write your answer in Rand and cents.



Term 1

R8b

3. Use the diagrams to write your own addition sums. We have done the first one for you. b. a. 0,8 + 0,07 = 0,87 C. d. 4. Answer the following: b. 0,02 + 0,9 = _____ c. 1 + 0,4 + 0,05 = a. 0,001 + 0,7 = How much money is there? Look at the money in the piggy bank. How much money is in there? (Give your answers in Rand and cents. xxxi 24 25 26 27 28 29 15 17 18 19 20 21 22 23 30 16

۲

Party time with fractions

We can each get three pieces. Explain this.

R9

Term 1



- 1. Some children are going to hold different parties. Make your own drawings to solve the following:
 - a. Party 1: Each child must get one quarter of a pizza. How many children can get slices from 3 pizzas? We have cut the first one for you.



10

11

Revision

- b. Party 2: Do the same activity but this time each child must get one sixth of a pizza. How many children can get slices from 3 pizzas?
- c. Party 3: This time each child must get one fifth of a pizza. How many children can get slices from 3 pizzas?
- d. Which party would you like to join? Why?
- e. You plan a party. You want to invite 30 children. You want to give them each one fifth of a pizza.

- How many pizzas do you need?
- You have one pizza left after the party. How many children did not come?
2. There are ten children at my party.

a. Two cakes are shared equally between ten children. What part of a cake will each child get?



b. At the party they also have 20 cup cakes on two plates. If the cup cakes are shared equally between the 10 children, how many cup cakes will each child get? What fraction of each plate will each learner get?



- c. If you want to give each child one seventh of a cake:
 - How many children can you invite to your party if you have 4 cakes?
 - One whole cake and one seventh of a cake are not eaten. How many children did not eat cake?
 - If 35 children arrived at your party, how many more cakes do you need?

19

20

21

15



23

22

25 26 27 28 29

How far for how long?

R10

Term 1

Ĵ

Look at the street and talk about the following places.	
school Chric shop home	900
Make use of words such as: – kilometre – kilometres – metres	800
 1. Write the following in kilometres: a. 1 000 m = b. 700 m = c. 150 m = c. 150 m = c. 150 m = d. 2 km = d. 2 km = b. 0,5 km = c. 0,250 km = f. 1,25 km = 3. Do this practical activity in your class. Part 1:	500 600 700 metre
 a. How many metres is it from the back of your class to the front? b. How many metres is it from the one side to the other side of your class? c. If a classroom is 10 m long, how many classrooms can you fit into 1 km? 	300 400
Part 2: a. How long is a second? b. Guess how many seconds it will take to walk from the front to the back of the class. - Write down your estimate. - Measure it with a watch or a stopwatch and write down your answer. - What is the difference between your estimate and the measurement?	0 100 200
	2 44

4. Look at the picture and complete the table.



- The green town to the purple town.

 The green town to the purple town.

 The purple town to the blue town.
- A fence was built around this. How long is the fence?
 Write your answer in kilometres and metres.



15

16



30



17 18 19 20 21 22 23 24 25 26 27 28 29

Area and perimeter

R11

Term 1

(4)





4. Find the area of each shaded rectangle in square units. Make sure you count the parts you cannot see.

b.



(





C.

5. What is the area of the following shapes in square units.



6. The distance (perimeter of the shape) of 5a is approximately 9,6 cm. What is the perimeter of 5b and 5c?

a. <u>9,6 cm</u> b. <u>c.</u>		a.	9,6 cm	b.			
-------------------------------	--	----	--------	----	--	--	--







Mass and weight

 $\mathbf{R13}$

Term 1

What is mass? Look at the pictures below and discuss it.



or lighter than a kilogram or gram.





Revision

2-D shapes and 3-D objects

Identify the object. What shape do you see? In which country will you find these?



- 1. Look at the following pictures and identify a:
 - a. sphere b. rectangular prism c. cylinder d. pentagonal pyramid
- e. cube f. triangular prism g. pentagonal prism h. hexagonal prism



2. Name the 3-D object or 2-D shape:



Term 1

4

R14





A

3. How does this building look from the front, side and top view? Draw the correct answers.









Data handling

R16

Term 1

 \bigcirc

Each picture shows the type of transport a child in a Grade 6 class is using to get

Revision



1. Sort the types of transport taken by a Grade 6 class of learners by completing the table.

Transport type	Number

2. Use the information in the table above to draw a bar graph.



	•	
	. Answer the following questions from your bar graph:).
	a. How many children use buses to go to school?	*P
	b. How many children use cars to go to school?	-
	c. How many children use bicycles to go to school?	
	d. How many children walk to school?	
	e. How many children are in Grade 6?	
	f. What type of transport is the most popular in Grade 6?	
	g. What type of transport is the least popular in Grade 6?	
	. Drop a coin on the ground 100 times and record the actual outcome of each trial	
	in a tally table. Drop it from different heights, drop it from different holding positions,	
	sometimes flick it, sometimes throw it, etc.	
	Heads	
	Tails	
	a. How many times did you see heads?	
	b. How many times did you see tails?	
	c. Do you and your friend have the same answers?	
	d. Do you and other children in the class have the same answers?	
	e. Why or why not?	
	Who is lucky?	
	 Remember this game is about LUCK! 9 Play in pairs. 9 Use a coin again. Start the game by asking: "Who is lucky?" 9 The first player tosses the coin ten times. Before tossing it he or she must guess on which side the coin will land most often. If the player is correct the player will get 1 point. 9 The second player does the same. 9 Do this ten times. The player with the highest score is the winner. 	
5	6 17 18 19 20 21 22 23 24 25 26 27 28 29 30	





How many do you count? Numbers to 10 000

How many cubes are there in total? Match the base ten place value cards with the blocks.







1. Count the cubes.

Term 1

1a











How many do you count? Numbers to 10 000 continued

1ь



3. Add all the place value cards.

15

18

19

20

21



- See who can give the total the quickest.
- Check your partner's answer.

23

22

- Do the same with 6 cards each, then 7, 8, 9 and 10 cards.

24 25 26 27 28 29

- The person with the most correct answers is the winner

5

30

Date:

Numbers 0 to 100 000

What number will these cards make?







Ninety-six thousand five hundred and eighty-one.

96 581

it is

Use Cut-out 2 to show five different numbers.

- 1. Complete the following:
 - a. 90 000 + 5 000 + 600 + 10 + 8 =
 - b. 70 000 + 3 000 + 400 + 90 + 1 =
 - c. 50 000 + 4 000 + 300 + 10 =
 - d. 90 000 + 4 000 + 80 + 7 =
 - e. 90 000 + 9 =



2. Complete the following table:

		Ten thousands	Thousands	Hundreds	Tens	Units
a,	92 578	9	2	5	7	8
b.	38 201					
C.	40 002					
d.	31 420					
e.	90 706					

3. Complete the following. Use the first activity to guide you.

a. 91 742 = 9 ten thousands + 1 thousand + 7 hundreds + 4 tens + 2 units



Term 1

4. Complete the table below:

		Expanded notation	Words
a.	98 795		
b.	73 289		
с.	12 009		
d.	32 320		
e.	40 002		

۲

5. What is the value of the underlined digit?

- a. 3<u>8</u>934
- c. 30 008
- e. 42<u>8</u>00

_

15

16

b. <u>4</u>2 983 d. 12 9<u>7</u>0

30

6. What will you do to change the number?

a.	34 589	30 589
b.	28 934	28 034
C.	94 783	94 700
d.	94 783	70 000

Find a large number What you need: What to do: A newpaper - Bring a newspaper to class. - Find five 5-digit numbers in the newspaper. Write them down. Tell the class what each number means. Date: 7

17 18 19 20 21 22 23 24 25 26 27 28 29

More numbers 0 to 100 000

Look at these Egyptian numbers. Make any 5-digit number using the Egyptian numbers.



1. Complete the table below:

Egyptian numbers	Number	Expanded notation
e e e : N		

2. Arrange the numbers from the smallest to the biggest.

- a. 34 567, 43 675, 34 765, 34 667, 43 765
- b. 29 876, 29 867, 29 678, 29 687, 28 678
- c. 12 221, 12 212, 12 122, 12 121, 12 101
- d. 90 009, 99 009, 90 909, 90 090, 9 000

e. 42 444, 44 224, 44 422, 44 424, 42 424

11

3. Fill in whether the first number is < or > than the second number.

5

6



7

9

Term 1



6. Complete the following:



You have dropped some stones onto a game board. This was the result. If you add the numbers, what is the total?

Who can get the largest number?

What you need:

- The game board on the right.
- Ten small stones.

What to do:

15

- Drop your stones onto the board.
- Write down the number they land on.

19

- Do this ten times.
- Add the numbers.
- The winner in a group is the person with the biggest number.

21

20

25 26 27 28 29

Date:

9

30

23

22

Properties of numbers



1. Use the properties of number to find the perimeter of each rectangle.



Term 1



۲

4. If a = 200, b = 40, c = 1200, complete and calculate the sums.

a. a+b = b+a
b. $a \times b = b \times a$
c. $(a + b) + c = a + (b + c)$
d. (a × b) × c = a × (b × c)
e. $(a + b) \times c = a \times c + b \times c$
f. a – a =
g. c x l =
h. b + 0 =

Sudoku fun

		7		4	3			9
9						3		
		5		8	9	1		
5	9				8			6
			2		4			
4			9				3	8
		9	6	3		8		
		2						3
1			4	9		5		

11

17 18 19 20 21 22 23 24 25 26 27 28 29 30

15

More properties of number



- 1. Say whether the following is true or false.
 - a. 50 000 + 4 000 = 4 000 + 50 000
 - b. 300 x 900 = 900 x 300
 - C. $7\ 000 6\ 000 = 6\ 000 7\ 000$
 - d. $200 \div 400 = 400 \div 200$
 - e. (20 x 80) x 10 = 20 x (80 x 10)
 - f. a + b = b + a
 - g. a b = b a
 - h. $a \div b = b \div a$
 - i. axb = bxa
 - j. (a + b) x c = a + (b x c)

2. Choose the correct answer.

a. 1 000 000 + 50 000 = a + 1 000 000 i. a = 1 000 000 ii. a = 50 000 iii. a = 5 000

3

c. 400 x 500 = 500 x X
i. X = 500
ii. X = 20 000
iii. X = 400

b. 6789 + 3999 = b + 3999i. b = 6789ii. b = 3999iii. b = 6879

d. 175 x 132 = 132 x y
i. y = 23 100
ii. y = 132

10 11

12

13

iii. <u>y</u> = 175

9

12

5

6

7

	٢
e. $(100\ 000\ +\ 2)\ +\ 500\ =\ a\ +\ (2\ +\ 500)$	f. (b x 100) x 200 = 50 x (100 x 200) i. b = 200
i. $a = 100\ 000$ ii. $a = 2$	ii. b = 100
iii. <u>a</u> = 500	iii. $b = 50$
g. a-a=	h. 0 x a =
i. 0	i. 0 Remember
ii. 1	ii.] BODMAS when answering
iii. a	iii. a questions i to n.
i. 6 x 5 + 3 =	j. 27 ÷ 3 + 3 =
i. 33	i. 3
ii. 48	ii. 11
iii. 14	iii. 12
k. 7 + 8 x 10 =	I. 5 + 15 ÷ 5 =
i. 150	i. 8
ii. 87	ii. 4
iii. 25	iii. 25 An equation says
m. 7 + (6 × 2 + 3)	n. $8 + (6 \div 2 + 1)$ that two things are the same,
i. 18	i. 12 symbols. An equal sign (=) is used.
ii. 37	ii. 11
iii. 22	iii. 17
3. Make four equations of your own.	Sudoku fun
	9 2
	3 4 8 6 7 1
	2 6 8 1 Sign:
	6 4 9
	5 9 Date: 6 8 0
	13
16 17 18 19 20 21 22	23 24 25 26 27 28 29 30

numbers

What is the difference between the numbers in each of these rows?

				\searrow	\sim			\sim	
1 000	2 000	3 000	4 000	5 000	6 000	7 000	8 000	9 000	10 000
1 001	2 001	3 001	4 001	5 001	6 001	7 001	8 001	9 001	10 001
1 010	2 010	3 010	4 010	5 010	6 010	7 010	8 010	9 010	10 010
1 005	2 005	3 005	4 005	5 005	6 005	7 005	8 005	9 005	10 005
10 400	20 400	30 400	40 400	50 500	60 400	70 400	80 400	90 400	100 400

1.

6a

What number comes next?

2. Complete the table. Add to the given number.

Number	Add 10	Add 100	Add 1 000	Add 10 000
42 389				
76 381				
45 002				
45 982				

3. Fill in the missing number.







5. Complete the table.

15

		Complete to the next 10	Complete to the next 100	Complete to the next 1 000
а.	457	457 + = 460	457 + = 500	457 + = 1 000
b.	685	685 + = 690	685 + = 700	685 + = 1 000
C.	2 857	2 857 + = 2 860	2 857 + = 2 900	2 857 + = 3 000
d.	4 575	4 575 + = 4 580	4 575 + = 4 600	4 575 + = 5 000
e.	8 999	8 999 + = 9 000	8 999+ = 9 000	8 999 + = 9 000

17 18 19 20 21 22 23 24 25 26 27 28 29

15

Addition and subtraction up to 5-digit

numbers continued

Examples:	Exa	mpl	e 2	2:				
Example 1:		4	2	. (5	7	2	
42 672 + 31 849	+	• 3	1	8	3	4	9	
= 40 000 + 2 000 + 600 + 70 + 2 + 30 000 + 1 000 + 800 + 40 +	9				1			(2 + 9)
= 70 000 + 3 000 + 1 400 + 110 + 11				1		1		(70 + 40)
= 70 000 + 3 000 + 1 000 + 400 + 100 + 10 + 10 + 1						0 0		(600 + 800) (2 000 + 1 000)
= 70 000 + 4 000 + 500 + 20 + 1	+		7			0		$(2\ 000 + 1\ 000)$ $(4\ 000 + 3\ 000)$
= 74 521			/ 7	4		2		(4 000 + 3 000)
			/	-7	0	2		



6b



7. So far you have learned several methods of doing addition. Which method do you like best? Why do you like it best?

(

15

16

Continue on an extra sheet of paper. What is the size of your number: 78 472 ╇ 62 893 What you need: What to do: 45 232 - Use the 100s, 1 000s and Roll the 100s dice. _ 89 231 Add the number it lands on to the first number on the _ 10 000s dice you made 82 321 blue card. before. Write your addition sum on a piece of paper. - Piece of paper. _ Do the same with the next four numbers on the blue card. Learners check each others' addition sums. _ 10 000 100 1000 Date: The winner is the person with the most correct answers. _ Repeat the activity with the 1 000s and 10 000s dice. _

()

17

17 18 19 20 21 22 23 24 25 26 27 28 29 30

What is the difference between the numbers?

	\sim	\sim	\sim	\sim	\frown	\frown	\sim	\frown	\frown
1 000	2 000	3 000	4 000	5 000	6 000	7 000	8 000	9 000	10 000
1 005	2 005	3 005	4 005	5 005	6 005	7 005	8 005	9 005	10 005
1 025	2 025	3 025	4 025	5 025	6 025	7 025	8 025	9 025	10 025
10 009	20 009	30 009	40 009	50 009	60 009	70 009	80 009	90 009	100 009
10 700	20 700	30 700	40 700	50 700	60 700	70 700	80 700	90 700	100 700

1. What number comes next?



2. Complete the table. Subtract from the given number.

Number	Subtract 10	Subtract 100	Subtract 1 000	Subtract 10 000
38 982	38 972			
67 463				
28 394				
34 001				
38 291				

7a


5. Complete the table. Use subtraction.

15

		Complete to the previous 10	Complete to the previous 100	Complete up to the previous 1 000.
а.	1 232	1 232 – = 1 230	1 232 – = 1 200	1 232 – = 1 000
b.	2 214	2 214 = 2 210	2 214 = 2 200	2 214 = 2 000
C.	3 457	3 457 – = 3 450	3 457 – = 3 400	3 457 – = 3 000
d.	4 575	4 575 – = 4 570	3 457 – = 3 400	4 575 – = 4 000
e.	8 999	8 999 – =	8 999 – =	8 999 – =

17 18 19 20 21 22 23 24 25 26 27

continued 🖝

28

19

30

Date:

Subtraction up to 5-digit numbers

۲

continued

Examples: Example 1:	This is a problem!	Exar	7	6	3	7	
$76 \ 375 - 53 \ 194$ = (70 000 - 50 000) + (6 000 - 3 000) + (3 = (70 000 - 50 000) + (6 000 - 3 000) + (3 = 20 000 + 3 000 + 100 + 80 + 1 = 23 181		+ (5 – 4)	5 2 2			0 0	- (

6. Use both methods to solve the problem.

a. 87 475 – 45 129

7њ

Term 1

Continue on an extra sheet of paper.

b. 67 327 - 24 218

Continue on an extra sheet of paper.

c. 54 786 - 15 558

2

3

Continue on an extra sheet of paper.

11

12

13

14

10

8

7

9

5

6

d. 78 578 - 65 494

Continue on an extra sheet of paper.

e. 45 945 - 32 684

Continue on an extra sheet of paper.

f. 75 321 - 64 290

۲

15

16

Continue on an extra sheet of paper.



17 18 19 20 21 22 23 24 25 26 27 28 29 30

More addition and subtraction up to 5-digit numbers

How fast can you answer these?

- Add 40 000 and 5 000.
- Subtract 15 000 from 100 000.
- 10 000 plus 7 500 is?

Sa

- The sum of 75 000 and 25 000 is?
- Take 12 000 from 45 000.
- Decrease 62 000 by 13 000.
- Increase 28 000 by 12 000.
- 63 000 and 15 000 is?

1. Add to or subtract from the given number.

	Add 7 000	Subtract 4 000	Add 50 000	Subtract 20 000
20 000	27 000			
25 000				
47 500				
39 250				
28 825				

8

9

10

11

12

13

7

2. Answer the following questions:

3

a. What is the inverse (opposite operation) of subtraction?

b. What is the inverse (opposite operation) of division?

5

6

Term 1

- 3. Calculate the following:
 - a. 42764 + 36999 =

b. 57 847 + 39 586 =

۲

c. 67 892 – 15 999 =

d. 83 273 - 68 498 =

Date:

23

30

continued 🖝

4. Check your own answers for each of the above calculations, using the inverse operation.

15 16 17 18 19 20 21 22 23 24 25 26 27 28 29

More addition and subtraction up to 5-digit numbers continued

Soccer stadium ticket sales.

b



8 9 10 11 12 13 14

- 5. Use the information on the previous page to answer the following questions.
 - a. How many people can each category seat?
 - b. What is the difference between the smallest and the largest capacity?
 - c. What is the difference between the largest and second largest capacity?
 - d. What is the full capacity of the stadium?

15

- e. 63 874 spectators attend the match. How many empty seats are there?
- f. Categories 1, 3 and 4 were sold out. 24 878 Category 2 tickets were sold. How many more tickets should be sold to sell all the tickets?
- g. Find out which soccer stadium this could be in South Africa.

Coloured numbers							
+	-				 What to do: Play in pairs. The first player tells the second player too add red (or blue or yellow) numbers. The second player takes any two red numbers 		
10 000	100 000	5 000	2 500		and adds them. If the player is correct, he or she will get one point.		
1 000	90 000	20 000	1 500		 The second player tells the first player too subtract (yellow or red or blue) numbers. 		
30 000	65 000	12 000	25 000		The first player makes a sum with any two yellow numbers.		2
1 250	15 000	40 000	70 000		 Carry on playing. The first person with a 		
					score of 10 is the winner.		C

17 18 19 20 21 22 23 24 25 26 27 28 29

Fractional notation

Proper Fraction

A proper fraction is a fraction in which the numerator (the top number) is smaller than the denominator (the bottom number). It is less than one. Examples: $\frac{1}{2}, \frac{2}{2}, \frac{5}{2}$

Improper Fraction

An improper fraction is a fraction in which the numerator (the top number) is greater than or equal to the denominator (bottom number).

Examples: $\frac{4}{3}$, $\frac{5}{2}$, $\frac{7}{5}$, $\frac{2}{2}$.

Mixed Fraction

A mixed fraction is a whole number and a proper fraction combined into one "mixed number". It is larger than one. It is also called a mixed number.

Common Fraction

A common fraction is a fraction in which the numerator and denominator are both integers, as opposed to fractions. It is also called a vulgar fraction.

1. There are 15 boys and 25 girls in the class of 40 learners.





10

- a. What fraction of the class is girls?
- b. What fraction of the class is boys?
- c. Write an improper fraction for the whole picture above.

2. Look at the diagram and write a common fraction for each colour.

What fraction is red?	What fraction is blue?	What fraction is yellow?

17 18 19 20 21 22 23 24 25 26 27 28 29

continued •

Fractional notation continued

۲

3. Look at each diagram and complete the questions.





9b



4. What parts are shaded? Complete the table.

	Mixed	number	
Shapes	Whole number	Proper fraction number	Improper fraction
	3	$\frac{1}{2}$	$\frac{1}{2} + \frac{1}{2} = \frac{7}{2}$

Fraction Dominoes

17 18 19 20 21 22 23 24 25 26 27 28 29

After shuffling the 24 double cards from Cut-out 5, each player draws cards to make up their hand. The number of cards drawn depends on the number of players. The player with the largest fraction starts to play by placing a card on the table The next player adds a card to an open end of the layout if he or she has a matching card of the same value (as in the game of Dominoes).

A player who cannot make a move must pass. The game ends when one player uses the last domino in his/her hand, or when no more plays can be made. If all players still have cards in their hand, but can no more moves can be made, then the game is said to be "blocked".

500 ml 750 mm of of a litre a metre

۲

15

16

29

30

Date:

 (\bullet)

Equivalent fractions and more

Look at the fraction board. Name 20 different fractions that are equal to each other.



1. Complete the sums by using the example and fraction board to guide you.



3 4

5

2



6 7 8 9 10 11 12 13 14

30

10a

Term 1

 (\bullet)



۲

15



۲











g.
$$\frac{1}{3} = \frac{1}{24} + _$$
 =

Make your own sums



 (\bullet)

Equivalent fractions and more continued



10b

Term 1



1. Complete the fraction sums using the diagrams above and on the right.



2. Complete the fraction sums using the diagrams below.



3. Fill in the missing fractions:

15



4. Complete the fractions to make them equal.



What is the magic fraction?

Add each column and then each row. What do you notice?	<u>4</u> 15	<u>3</u> 15	<u>8</u> 15	<u>8</u> 20	<u>1</u> 20	<u>6</u> 20
Why do you think we call this a magic square?	<u>9</u> 15	<u>5</u> 15	<u>1</u> 15	$\frac{3}{20}$	<u>5</u> 20	$\frac{7}{20}$
	2 15	<u>7</u> 15	<u>6</u> 15	<u>4</u> 20	<u>9</u> 20	$\frac{2}{20}$

17 18 19 20 21 22 23 24 25 26 27 28 29 30

33

Date:

Equivalent fractions and more continued

10c



3. Fill in the missing numerator or denominator.

a.	$\frac{1}{2} = \overline{8}$	b. $\frac{3}{4} = \frac{12}{12}$	C. $\frac{2}{5} = \frac{1}{15}$	d. $\frac{5}{7} = \frac{20}{7}$
e.	$\frac{5}{6} = \frac{25}{6}$	f. $\frac{3}{4} = \frac{18}{100}$	$\frac{g}{8} = \frac{35}{8}$	h. $\frac{3}{10} = \frac{1}{50}$
i.	$\frac{1}{4} = \frac{1}{40}$	j. $\frac{5}{2} = \frac{1}{48}$	k. $\frac{3}{5} = \frac{24}{5}$	$\frac{1}{3} = \frac{1}{12}$
m.	$\frac{4}{9} = \frac{1}{36}$	n. $\frac{11}{2} = \frac{33}{2}$	$\frac{6}{16} = \frac{1}{32}$	p. $\frac{5}{9} = \frac{1}{45}$

۲

4. Fill in the missing numerator or denominator.



What is the magic fraction?

17 18 19 20 21 22 23 24 25 26 27 28 29 30

Write your magic fraction in the simplest form.

15

16	$\frac{3}{40}$	2	13
40	40	40	40
5	10	11	8
40	40	40	40
9	6	7	12
40	40	40	40
4	15	14	1
40	40	40	40

35

Date:

Addition and subtraction of fractions

Look at the diagram. Can you make an addition sum?

1 whole

1. Do these calculations. Use the diagram to help you.



Term 1

What have you noticed so far?

Equivalent fractions are fractions that are equal.

If you don't have a fraction board you can form an equivalent fraction by multiplying or dividing the numerator and denominator of a fraction by the same number.

$$\frac{1}{4} \begin{array}{c} \times 8 \\ \times 8 \end{array} = \begin{array}{c} \frac{8}{32} \end{array} \qquad \begin{array}{c} \frac{8}{32} \begin{array}{c} \div 8 \\ \div 8 \end{array} = \begin{array}{c} \frac{1}{4} \end{array} \qquad \text{This means } \frac{1}{4} \text{ is equivalent to } \frac{8}{32}.$$

3. Complete the following using the method above.







f. $\frac{24}{56} = \frac{3}{56}$

4. Add or subtract in the following sums.



What is the magic fraction?

Add each column and then each row. What do you notice? Why do you think we call this a magic square?

18 19 20 21 22 23 24 25 26 27 28 29

More addition and subtraction of

fractions

Look at the diagram. What can you say about it?

1.	Write a	n equivalent	fraction for	the following:
----	---------	--------------	--------------	----------------









Example:

Term 1

12

 $\frac{1}{4} + \frac{1}{5}$

The multiples of 4 and 5 are:

4, 8, 12, 16, 20 24, 28, 32, 36, 40 44 5, 10, 15, 20 25, 30, 35, 40 45, 50

Common multiples of 4 and 5 are: 20, 40

The lowest common multiple is: 20

 $\frac{1}{4} \times \frac{5}{\times 5} \qquad \frac{1}{5} \times \frac{4}{\times 4}$ $= \frac{5}{20} + \frac{4}{20}$ $= \frac{9}{20}$

2. Calculate the following:

a.
$$\frac{2}{3} + \frac{3}{4}$$

Multiples of 3: _____ Multiples of 4: _____ LCM: _____

3

5

6

2







8

7

9

10 11 12 13 14

-

C. $\frac{1}{2} + \frac{2}{7}$ d. $\frac{2}{3} + \frac{5}{8}$ Multiples of ___: ____ Multiples of ___: ___ Multiples of ___: ____ Multiples of ___: ____ LCM: LCM: _____ = = f. $\frac{4}{5} + \frac{3}{9}$ e. $\frac{3}{4} + \frac{1}{3}$ Multiples of ___: ____ Multiples of ___: ____ Multiples of ___: ____ Multiples of ___: ____ LCM: _____ = = h. $\frac{1}{2} + \frac{5}{11}$ $g \cdot \frac{3}{7} + \frac{1}{8}$ Multiples of ___: ____ Multiples of ___: ____ Multiples of ___: ____ Multiples of ___: ____ LCM: _____ LCM: _____ = = 3. I had $\frac{1}{10}$ of the cake. Complete the magic fraction square My friend had $\frac{1}{9}$ of the cake. 3 5 How much cake did we have? 1 1 5 3 6 15 Date: 39 17 18 19 20 21 22 23 24 25 26 27 28 29 30 15

C

Fractions of whole numbers (proportional sharing) There are 100 sweets in each bag. Into how many equal parts is the circle divided? • Let us count the parts in fractions: $\frac{1}{5}$, $\frac{2}{5}$, $\frac{3}{5}$, $\frac{4}{5}$, $\frac{5}{5}$. How many bags of sweets are there? How many sweets are there in total? $(5 \times 100 = 500)$ What is $\frac{1}{5}$ of 500? Did you get these answers? The circle is divided into fifths. There are five bags of sweets. Term 1 There are 500 sweets in total. 1 of the sweets is 100 because $500 \div 5 = 100$. 5 1. Use the above diagram to answer these questions: a. What is $\frac{2}{5}$ of 500?

a. What is $\frac{2}{5}$ of 500? _____ b. What is $\frac{3}{5}$ of 500? _____ c. What is $\frac{4}{5}$ of 500? _____ d. What is $\frac{5}{5}$ of 500? _____

2. Use the number line below to answer the questions.



8

9

11

10

a. Into how many equal parts is the number line divided?

b. What whole number does each interval represent?

c. What is the total of the number line? _____



Percentage and fractions

What part of the square is yellow? blue? green? red? purple? Give your answer in fractions.



Term 1



- 1. What fraction of the above square is blue?
- 2. What percentage of the square is blue?





4. Colour in 99 per cent. Write your answer as a fraction.





Percentages and decimals

Match the fractions, decimal fractions and percentages that stand for the same amount:

75 %	12	28 9	× 20 10		30 %	50 %	$\frac{3}{4}$
25 100),01	$\frac{3}{10}$	0,75	$\frac{1}{4}$	0,28	$\frac{1}{10}$	0,1
0,5	1 100	25 %	0,3	1 %	6 0	,25	10 %

1. Complete the table below.

Fraction	Percentage	Decimal fraction
<u>89</u> 100		0,89
	58%	
<u>1</u> 4		
		0,75

Term 1





What is the time? Give your answer in hours, minutes and seconds.







1. Answer the following questions: How many:

- a. minutes are there in an hour?
- b. seconds are there in a minute?
- c. minutes are there in 6 hours?
- d. seconds are there in 2 minutes?

2. Complete the table.



Very important to remember!!!

3

• 0,5 hours = 30 minutes, not 50 minutes. This is because decimals show fractions of tenths, hundredths, thousandths and so on. Minutes are measured in sixtieths of an hour.

• Similarly,
$$\frac{1}{4}$$
 hour = 15 minutes, and $\frac{1}{10}$ hour = 6 minutes.

5

6

7

8

9

10

11

12

Ferm 1

3. This is how long I took to do my maths homework this week. Help me to complete this table.

۲

15

Maths homework	Hours	Minutes	Seconds	hh:mm:ss	I started my homework at:	l finished it at:
Monday	2	32	5	02:32:05	15:00	
Tuesday				01:18:00	16:30	
Wednesday	1	24	7		15:30	
Thursday	0	55	25		15:45	
Friday				01:05:09	14:50	

۲

Date:

47

30

continued 🖝

16 17 18 19 20 21 22 23 24 25 26 27 28 29

Time continued

4. I visited my grandmother over the weekend. On Saturday, I arrived at her house at 10:35:02. I left on Sunday at 12:45:00. How long was my visit to my grandmother?

۲

16b

5. Answer the following questions:

- a. How many days are there in a week?
- b. How many days are there in each month?

Jan	Feb	March	April	May	Jun	Jul	Aug	Sept	Oct	Nov	Dec
		nv davs	are the	ro in a	vo ar2		in	alaan	vear?		

7

c. How many days are there in a year?

3

2

5

6

9

10 11

12

13

14

	2013
	January February S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M
	S M T W T V T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T W T F S M T
	September October November S M I W I F S M I W I F S M I W I F S M I W I F S I 2 3 4 5 6 7 8 9 10 11 12 3 1 2 3 4 5 6 7 8 9 10 11 12 3 14 15 16 17 18 19 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 31 31 31 31 31
e. f.	. How many months are there from 4 April to 4 December?
9	How many:
	 days, weeks or months are there before your next birthday? days, weeks or months are there before your friend's birthday? days, weeks or months are there before your mother's birthday?
15 16	17 18 19 20 21 22 23 24 25 26 27 28 29 30

More time

Match the words about time that have the same meaning, and colour them the same colour.



Term 1

17a

3. Convert hours to minutes.





4. Convert hours to seconds.



5. Complete the table.

15

Weeks	1	1,5	2	2,5	3	3,5	4	4,5	5	6,5	7
Days		$10\frac{1}{2}$									
Hours		252									
Minutes											

6. Convert years to weeks and days:



 $\begin{pmatrix} 10 & 2 \\ 9 & 3 \\ 8 & 7 & 5 \\ \end{pmatrix}$ Why can we say

this represents

30 minutes?



Why can we say this represents 15 minutes?



More time continued

A centipede has 100 legs.

Centi means 100

7. Convert centuries to years:

a. 2 centuriesb. 30 centuriesc. $5\frac{1}{2}$ centuriesd. $6\frac{1}{4}$ centuriese. $8\frac{1}{5}$ centuries

8. Time Zones:

176

a. What is a time zone?

b. How many time zones are there in the world?

c. Name 6 other countries in the same time zone as South Africa.



d. Explain why we have different time zones in the world.

5

3

6

8

7

9

10

11

12

13

9. Use a telephone directory to help you answer this question.

I want to telephone people in the following places. I want to telephone when it is 8 pm their time. What time here in South Africa should I call?

a. Sydney, Australia
b. Boston, United States of America
c. London, United Kingdom
d. Lagos, Nigeria
e. Kolkata, India

10. Find out what "daylight saving" is.

15

Some people think that we should have daylight saving in South Africa. What do you think, and why?

	Treasure	hunt		
 Which group came first? W How many seconds did ead What is the difference in time D and C, B and C. 	ch group take?	ween 5 groups. The e five hidden treasu times were as follow (h 51'45') Group C	winner is the grou res. Our teacher t vs. Ih 15'40' Group D Gro	p that found med us with a

2-D shapes and sides

Identify the shapes with:

• Curved sides only

18a

- Curved and straight sides
- Straight sides only

- 1. Identify the following by writing a, b, c or d on the shape.
 - a. Quadrilaterals
 - b. Pentagons
 - c. Hexagons
 - d. Octagons

2

3



5

6

7

8

9

10

11

12

14

13
a. A quadrilateral with sides the same length.	b. Three quadrilaterals with sides that are different lengths.
c. A pentagon with sides the same length.	d. Hexagons with sides that are different lengths.

•

۲

-

. . .

2-D shapes and sides continued

3. Answer the following:

186

a. Here are two specific quadrilaterals. Name them.

i.

ii.

b. Describe each quadrilateral.

ii.

i. -

4. Is a triangle a polygon? Why?

5. Mark the sides and angles of each triangle below, using the following as labels. Angles Sides

 Right angles (R)
 Straight sides (S)

 Smaller than right angles (A)
 Curved sides (C)

 Bigger than right angles (O)
 Sides of equal length (/)

 Length of sides
 ii.

 i.
 ii.

 iii.
 iv.

5

6

7

8

9

10

11

12

13

Term 1

6. Describe and name each angle.

	Description	Name
2		
<u>ک</u>		
<u> </u>		
5		
5		

7. Identify the angles by placing the alphabet letters next to them.

a. Right angle

()

15

- b. Acute angle
- c. Obtuse angle

- d. Reflex angle
- e. Straight line

f. Revolution



2-D shapes and sides continued

8. Fill in the table below:

18c

	a.	b.	C.	d.	e.
Sides (straight or curved):	Straight				
Length (equal or different):	Different				
Number of sides:	3				
Right angle?:	Yes				

10 11

Term 1

9. Compare and describe the following triangles drawn.

15







To draw a circle accurately, use a pair of compasses.

9a

Circles

Set the compass to the radius of the circle. (The radius is the distance between the centre and the circumference; it is half the diameter.) Make sure that the hinge at the top of the compass is tightened so that it does not slip.

Tighten the holder for the pencil so it does not slip.



1. Use a compass to draw a circle that has a:

3

5

6

7

8

9

10

11

12

13

14

2

- a. radius of 5 cm.
- b. radius of 4,5 cm.
- c. radius of 10 cm.
- d. diameter of 12 cm.
- e. diameter of 15 cm.



Term 1



Circles continued

2. Draw a radius for each of the following circles. Measure the radius and give your answer in mm and cm.



d. Draw a diameter for each of the circles above. Measure the diameter and give your answer in mm and cm.



Term 1



Frequency tables

Help me to sort this data. I am lost!

	.HHT	
I collected data about children's favourite colour. As I asked them I made	JHT	
these tally marks on a piece of paper.	.1111	

1. Complete the frequency table below using the data above.

Colour	Tally	Frequency
Red		

2. You collected information about the favourite type of chocolate in your school. Each person wrote their answer on a small piece of paper. Use this information to complete the frequency table on the next page.

Tex	Aero	Kit Kat	Kit Kat	Bar one	Aero	Kit Kat	Aero	Lunch bar	Kit Kat
Kit Kat	Tex	Bar one	Aero	Aero	Тех	Lunch bar	Lunch bar	Tex	Kit Kat
Kit Kat	Rolo	Aero	Rolo	Rolo	Rolo	Тех	Tex	Aero	Kit Kat
Тех	Bar one	Rolo	Тех	Rolo	Kit Kat	Kit Kat	Aero	Kit Kat	Kit Kat
Rolo	Kit Kat	Тех	Kit Kat	Bar one	Aero	Lunch bar	Kit Kat	Aero	Kit Kat
Bar one	Rolo	Kit Kat	Kit Kat	Aero	Тех	Bar one	Lunch bar	Tex	Aero
Тех	Kit Kat	Aero	Rolo	Kit Kat	Kit Kat	Aero	Kit Kat	Lunch bar	Tex
Rolo	Kit Kat	Kit Kat	Bar one	Kit Kat	Lunch bar	Kit Kat	Aero	Bar one	Lunch bar
Bar one	Aero	Тех	Aero	Tex	Тех	Lunch bar	Kit Kat	Aero	Kit Kat
Kit Kat	Tex	Aero	Kit Kat	Lunch bar	Тех	Bar one	Tex	Tex	Aero

Term 1

 (Φ)

	-
	-
	-
	-
	-

۲

3. Use the information from the frequency table above to label the pie chart below.



Mean, median and mode When l kept a we have a list of record of last week's numbers as part of some data, weather. I wonder what the we often find it useful to work out average temperature was for the average number. that school week. Tuesday Wednesday Thursday /londav Friday 180 180 210 230 23° 18 + 18 + 21 + 23 + 20 = 100 This kind of average is called the mean. The mean is the sum of all the numbers divided by the number of numbers. = 100 ÷ 5 = 20 There are two other kinds of average, the median and the So we need to divide mode. 100 by 5 to get the average, because we The median is the number that is in the middle after you have have five days. put the numbers in order. In the above example 20° C is the median. The mode is the most commonly occurring number in a set of numbers. In the example 18° C is the mode. 1. Work through this set of temperature readings and fill in the missing information. Here are the temperatures for nine days in April. °C 22 21 22 21 20 22 19 23 20 a. Put the temperature in ascending order. We started it for you. °C 19 20 20 b. What number occurs the most often? c. What is this kind of average called? d. Look at the numbers placed in order above. What is the middle number? e. What is this average called? f. Calculate the mean of these numbers. q. Now that you have the mean, say which temperatures are above and which below the mean. Above : _____ Below: 8 7 9 10

Term

2. Mathematics assessment results

Week 1	Week 2	Week 3	Week 4	Week 5
40	50	40	60	40

a. What is the median score? _____ b. What is the mode? _____

3. Language assessment results

Week 1	Week 2	Week 3	Week 4	Week 5	Week 6	Week 7
80	70	60	40	70	70	50

a. What is the mode? ______ b. What is the median score? _____

4. Natural Sciences assessment results

Week 1	Week 2	Week 3	Week 4	Week 5
52	61	60	52	59

a. What is the median score? _____ b. What is the mode? _____

5. Here are the heights of children measured in a class.

135 cm, 145 cm, 125 cm, 135 cm, 145 cm, 145 cm, 125 cm, 120 cm, 120 cm, 130 cm and 115 cm.

a. What is the median score? ______ b. What is the mode? _____

6. Here are the results from goals scored by the netball team during practice sessions.

Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7
80	70	60	40	70	70	50

- a. What is the median score?
- b. What is the mode? _____

15



67

Getting mean

18 19 20 21 22 23 24 25 26 27 28 29 30

Calculate the mean score for questions 2 to 6.

Read graphs and interpret bar graphs and pie charts



A double bar graph is similar to a regular bar graph, but gives two sets of related information.

Say five things about this double graph.

What information could you add to the double bar graph? Why?



1. Look at the bar graph and answer the questions.

a. What information could you add to this bar graph? ____

b. How many learners are there in the class?

c. Which method of transport is the most popular?

d. Which method is the least popular?

e. How many more learners use the bus than the taxi?

f. Why do you think more learners use the bus than the taxi?

g. Do you think most learners live far from or close to the school?

h. What percentage of the learners uses public transport? _____

6

5

8

9

10

11

Term 1



3. Answer the following questions on the pie chart.

a. What is a pie chart?'

18 **19**

15

- b. Will the sectors always be in percentage? _____
- c. Will it always add up to 100%?
- d. What was the biggest expense in the South African budget?
- e. What was the smallest expense in the South African budget?
- f. Write three sentences on the pie chart.

20

21 22

Waste not want not

We collected some waste in our schools. This was the result for one day: 10 kg paper, 3 kg plastic, 2 kg glass, 3 kg metal and 2 kg organic waste. Show this by drawing a bar graph. Write down five sentences about your graph.

23

24 25 26 27 28

Questionnaires

A common method of collecting data for a survey is to use a questionnaire. Questionnaires come in many forms and are carried out using a variety of methods.



What does this all mean?

> Let us learn more



1. Before starting, we need to come up with a hypothesis.



What is a hypothesis?

A prediction of what you think the survey might show.



Here are some examples of a questionnaire hypothesis:

- Everybody in Grade 6 owns a cellphone.
- Everybody in Grade 6 understands square division.
- Everybody in Grade 6 likes junk food.
- a. Write down a hypothesis that you think you can use in your questionnaire.
- b. After you have decided on the hypothesis, you need to decide what type of questions you will ask.

Examples of common question styles

- Yes/No answers
- Tick boxes
- Word responses
- Questions that require a sentence to be written

5

Give an example of a Yes or No question that links with your hypothesis above.

6

7

8

9

10

11

2. Complete the following for two different situations.

Example: Hypothesis Everybody in Grade 6 owns a cellphone.

Type of questionnaire By post/By email/ Face to face

Type of questions and example Yes/No questions. Do you own a cellphone? Yes/No

a. Hypothesis	b. Hypothesis
Type of questionnaire	Type of questionnaire
Type of questions and example	Type of questions and example

۲

3. Write a hypothesis using the following words: school, boys and girls.



All about number patterns

Multiples	Factors
Some number sequences show	Factors are the opposites of multiples.
multiples of different numbers:	
e.g. 5, 10, 15, 20, 25, 30,	They are those numbers that will divide
These numbers are multiples of 5. They	exactly into other numbers.
can all be divided exactly by 5.	e.g. the factors of 15 are 1, 3, 5 and 15.
	These can be shown as pairs of factors:
Multiples include large numbers, not	(1 and 15) and (3 and 5).
just numbers in easy time tables. For	
example, 240 is a multiple of 6 because	Each pair can be multiplied to make
it can be divided exactly by 6.	15.

1. Create a pattern that includes:

What is the rule?
What is the rule?

2. Extend the following pattern.

a. Tip: prime numbers are special numbers that can only be divided by themselves and 1. 2, 3, 5, 7, 11, _____, ____, ____

b. Rule: multiply by 2 and add 1. 1, 3, 7, 15, _____, ____, ____,

c. Rule: divide by 2 and add 2. 100, 52, 28, _____, ____, ____,

5

3. Create two of your own number patterns and ask your friend to extend it.

6

a.	
b.	

7

8

9

10

11

12

Term 1

Patterns can be given in input-output flow diagrams or as number sentences.



Exan	nple	e 2: N	um	ber so	ente	ences
1	Х	4	+	1	=	5
3	Х	4	+	1	=	13
5	Х	4	+	1	=	21
7	Х	4	+	1	=	29
9	Х	4	+	1	=	37
11	Х	4	+	1	=	45

- 4. Complete the flow diagrams, questions and then write all the number sentences for the flow diagram.
 - a. i. Flow diagram



- ii. What are the input values?
- iii. What are the output values?

18 19 20 21 22 23

iv. What is the rule? _____

15

v. Number sentences

vi. What will the output values be if the rule is + 2 x 7?

26 27

28

25

continued • 73

30

All about number patterns continued

b. i. Flow diagram

24b



- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?

v. Number sentences



vi. What will the output values be if the rule is + 2 x 7?

c. i. Flow diagram



3

5

6

2

- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?

9

10 11

12

13

14

8

7

v. Number sentences



vi. What will the output values be if the rule is + 2 x 7?

d. i. Flow diagram



- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?

15

v. Number sentences

17 18 19 20 21 22 23 24 25 26 27 28 29 30



vi. What will the output values be if the rule is – 4 x 5?

Date:

75

Numbers 0 - 200 000

How many of these blocks do you need to give you a total of 200 000 small cubes?



1. Complete the following:



2. Write the right number in the correct column:

		Hundred thousands	Ten thousands	Thousands	Hundreds	Tens	Units
a.	187 432						
b.	174 501						
C.	165 002						
d.	160 005						
e.	100 004						

Term 2

a

3. Write the numbers in question 2 in words.

77

30

4. Complete the following using the first question to guide you.

a. 145 342 = 1 hundred thousand + 4 ten thousands + 5 thousands + 3 hundreds + 4 tens + 2 units



17 18 19 20 21 22 23 24 25 26 27 28 29

Numbers 0-200 000 continued

۲

5. Write the numbers in question 4 in words in your workbook.



25b



8. What is the value of the underlined digit: b. 1<u>2</u>0 005 a. 189 2<u>8</u>3 d. 134 342 с. <u>1</u>34 467 f. 199 9<u>9</u>9 e. 14<u>5</u> 999 9. Complete the following using these digits: a. Using each digit once, make the smallest 6-digit number: b. Using each digit once, make the largest 6-digit number: c. You can use a digit twice. Make the smallest 6-digit number: d. You can use a digit twice. Make the largest 6-digit number: All about numbers Did you know: Cardinal number: Tells you how many What you need: Which numbers in the newspaper are or how much of something. A class Newspaper. cardinal numbers? Which numbers are ordinal numbers? period is 30 minutes. Ordinal number: Gives order or rank. Which numbers are nominal numbers? He came 3rd in the race. Nominal number: Names something TV Channel 15 carries educational programmes. Date: 79 26 27 28 15 19 23 30 20 25

Rounding off



Rounding off to the nearest ten.

Round off the numbers that end in a digit from 1 to 4 to the previous (lower) ten. *Example:* 12 164 rounded off to the nearest ten would be 12 160.



Term 2



Rounding off to the nearest five



1. Round off the following to the nearest five, using the number board above.

a.57 ≈	
d.36 ≈	
g. 22 ≈	

b. 19 ≈	
e. 48 ≈	
h.91 ≈	

97 ≈ C. f. 64 ≈ 43 ≈ i.

2. Round off the following to the nearest five, using the number line below.



3. Round off the following to the nearest five minutes, using a clock. We have started the first one for you.

5

6

3



7

8

9

10

11

12

13

Term 2

10 20	30	40	50	60	70	80	90	100			
110 120		140	150	160	170	180	190	200			
210 220 310 320		240 340	250 350	260 360	270 370	280 380	290 390	300 400			
410 420		440	450	460	470	480	490	500			
510 520		540	550	560	570	580	590	600			
610 620) 630	640	650	660	670	680	690	700			
710 720		740	750	760	770	780	790	800			
810 820 910 920		840 940	850 950	860 960	870 970	880 980	890 990	900 1 000			
	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	, 10	I]	,,,,,						
a. 30≈∟		 	b.	260 ≈			с. 6	40 ≈			
d. 890 ≈		_	e.	930 ≈ [f. 2	10 ≈			
g. 520 ≈ _		_	h.	770 ≈			i. 9	90 ≈ 🔄			
Round off th	o followi	na to th		oct fifty	millim	otros	using t l	o motr	o stick	holo	
0 100 a. 60 mm ≈	200	300	400 on 5. 140	50 <u>e metre</u> mm ≈[0 6	ÖO	700 с. 29	800 0 mm ≈	900	100	
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f	200 200 200 200 200 200 200 200	300	400 on o. 140 e. 780 e neare	50 e metre mm ≈[mm ≈[est fifty	cents.	00	700 c. 29 f. 92	800 0 mm ≈ 0 mm≈	900	10	
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈	200 ² ² ² ollowing	300	400 on b. 140 e. 780 e nearc R 8,32	50 e metre mm ≈[mm ≈[est fifty	cents.	00	700 c. 29 f. 92 R 8,69	800 0 mm ≈ 0 mm≈	900		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f	200 ² ² ² ollowing	300	400 on o. 140 e. 780 e neare	50 e metre mm ≈[mm ≈[est fifty	cents.	00	700 c. 29 f. 92 R 8,69	800 0 mm ≈ 0 mm≈	900		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈	200 ² ² ² ollowing	300	400 on e. 140 e. 780 e neare R 8,32 R50,95	50 e metre mm ≈ [mm ≈ [est fifty 2 ≈ 5 ≈	cents.	00	700 c. 29 f. 92 R 8,69	800 0 mm ≈ 0 mm≈	900		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈	200 ² ² ² ollowing	300	400 on e. 140 e. 780 e neare R 8,32 R50,95	50 e metre mm ≈ [mm ≈ [est fifty 2 ≈ 5 ≈	cents.	00	700 c. 29 f. 92 R 8,69	800 0 mm ≈ 0 mm≈	900		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈	200 ² ² ² ollowing	300	400 on c. 140 e. 780 e neare R 8,32 R50,95 How	$mm \approx \begin{bmatrix} 50 \\ mm \approx \end{bmatrix}$ $mm \approx \begin{bmatrix} 2 \\ st fifty \\ s \approx \begin{bmatrix} -1 \\ s \\ s \end{bmatrix}$ $can you$	cents.	00	700 c. 29 f. 92 R 8,69	800 0 mm ≈ 0 mm≈	900		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈	200	300	400 on c. 140 e. 780 f e neare R 8,32 R50,95 How Colou	50 e metre mm ≈ [mm ≈ [est fifty $2 \approx $ $5 \approx $ can you r in the c	cents.	00	700 c. 29 f. 92 R 8,69 R100,72	800 0 mm ≈ 0 mm≈	900 = off 726 to		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈ d. R10,12 ≈	200	300	400 on c. 140 e. 780 f e neare R 8,32 R50,95 How Colou	50 e metre mm $\approx [$ mm $\approx [$ est fifty $2 \approx $ Can you ar in the c	cents.	00 C. f. off? swer. off 546 to 5.	700 c. 29 f. 92 R 8,69 R100,72	800 0 mm ≈ 0 mm≈ ≈ 2 ≈ Round	900 = off 726 to		
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈ d. R10,12 ≈ Round off 278 nearest 5.	200	300	400 on c. 140 e. 780 e nearce R 8,32 R50,95 How Colou	50 e metre mm $\approx [$ mm $\approx [$ est fifty $2 \approx [$ $5 \approx [$ can you ar in the c 70	cents.	00 C. f. off? swer. off 546 to 545	700 c. 29 f. 92 R 8,69 R100,72	800 0 mm ≈ 0 mm≈ ≈ ≈ Round neares	900	100	
0 100 a. 60 mm ≈ d. 310 mm ≈ Round the f a. R 2,52 ≈ d. R10,12 ≈ Round off 278 nearest 5. 270 250	200	300	400 on c. 140 e. 780 e neare R 8,32 R50,95 How Colou ff 891 to th 5.	50 e metre mm \approx [mm \approx] est fifty $2 \approx$ 5 \approx can you ar in the c 10 10 10 10 10 10 10 10 10 10	cents.	00 C. f. off? swer. off 546 to 545 550	700 c. 29 f. 92 R 8,69 R100,72	800 0 mm ≈ 0 mm≈ ≈	900	100	

R

Which numbers are coloured?

 $\mathbf{28}$

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

1. What do we call numbers that are not prime numbers?

2. Give the prime factors, using prime factor trees.

Example:

Break the following numbers into the smallest prime factors. We will use prime factor trees to demonstrate this.



Term 2



Multiplication and the distributive

property

Revise the distributive property of multiplication.

3 x (**4 + 2**) = (3 x 4) + (3 x 2) = 12 + 6 = 18

29

 $(3 + 5) \times (4 + 2)$ = (3 × 4) + (3 × 2) + (5 × 4) + (5 × 2) = 12 + 6 + 20 + 10 OR = 48



Term 2



a. (2 + 3) x (5 + 1)

3) X (5 + 1)

b. (4 + 2) x (6 + 5)







3

4

2

5

6

7

8

9

10

11

12

13

14

e. (3 + 4) x (8 + 4)



f. (7 + 1) x (2 + 7)

2. Calculate the following using both methods.

Example 1:

Calculate 547 x 45

= (500 + 40 + 7) x (40 + 5)

- = 20 000 + 2 500 + 1 **600** + 200 + 280 + 35
- = 20 000 + 2 000 + 1 000 + 500 + 600 + 200 + 200 + 80 + 30 + 5
- = 20 000 + 3 000 + 1 500 + 110 + 5

= 24 615

Example 2:



a. 253 x 41 =

b. 136 x 47 =

 (\bullet)

Date:

87



C. 766 x 38 =

15

16

d. 492 x 25 =

Boxes of balls

This year a company gave 52 boxes of footballs to children. Each box had 545 balls. How many balls did the company give away?

17 18 19 20 21 22 23 24 25 26 27 28 29 30

More on multiplication and the distributive property

Calculate the following. Which flow diagram was easier? Why?





30

1. Complete the following:







2. Calculate 1a - c



3. Complete the following:

a. 14 x 32 = 14 x (40 - ___) b. 15 x 47 = 5 x (50 - ___) c. 13 x 83 = 3 x (90 - ___)

4. Calculate 3a-c.

88



5. Calculate the following.

Example 1:

 547×45 = (500 + 40 + 7) x (40 + 5) = 20 000 + 2 500 + 1 600 + 200 + 280 + 35 = 20 000 + 2 000 + 1 000 + 500 + 600 + 200 + 200 + 80 + 30 + 5 = 20 000 + 3 000 + 1 500 + 110 + 5 = 20 000 + 3 000 + 1 000 + 500 + 100 + 10 + 5 = 20 000 + 4 000 + 600 + 10 + 5 = 24 615

Example 2:

 547×45 $547 \times (50 - 5)$ $= (500 + 40 + 7) \times (50 - 5)$ $= (25\ 000 - 2\ 500) + (2\ 000 - 200) + (350 - 35)$ $= 22\ 500 + 1\ 800 + 315$ $= 20\ 000 + 2\ 000 + 1\ 000 + 500 + 800 + 300 + 10 + 5$ $= 20\ 000 + 3\ 000 + 1\ 600 + 15$ $= 24\ 615$

```
a. 285 x 41 =
```

b. 285 x (50 - 9) =



Date:

89

C. 396 x 22 =

15

d. 396 x (30 - 8) =

Heartbeats ...

17 18 19 20 21 22 23 24 25 26 27 28 29 30

A normal, healthy adult heart beats about 78 times per minute.

- How many times will a heart beat in half an hour?
- How many times will a heart beat in one hour?

Multiplication using expanded notation and the vertical column methods

How will you solve this problem?

A timber grower wants to plant 156 rows each with 216 trees. How many trees does he have to plant?

- What is the question?
- What are the numbers?
- What basic operations (+. -, x, ÷) will you use?
- What will the number sentence be?
- Use the number sentence to work out the answer.

1. Write the following numbers in expanded notation.



Examples:

- 325 = 300 + 20 + 5
- 108 = 100 + 8
- 7 642 = 7 000 + 600 + 40 + 2
- 4 362 = 4 000 + 300 + 60 + 2



2. Multiply these sums making use of the distributive property.

Example: 8 x 4 362 = 8 x (4 000 + 300 + 60 + 2) = 32 000 + 2 400 + 480 + 16 = 34 896 90 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15


If we want to multiply numbers quickly, without getting the exact answer, we can round off and then multiply.

Give the approximate answer by rounding both numbers to

Nearest 10	Nearest 100	Nearest 1 000
45 x 32 =	450 x 320 =	4 500 x 3 200 =

1. Round off the numbers to the nearest 10, 100 and 1 000.

	Nearest 10	Nearest 100	Nearest 1 000
a. 789			
b. 342			
c. 2 062			
d. 3 471			
e. 8 309			

2. Multiply the numbers by rounding off the first number to the nearest 1 000 and the second number to the nearest 100.



Ferm 2

 $\mathbf{32}$



33 3-D objects Can you remember the names of these objects?

1. Use the following descriptions to explain the similarities and differences between the pictures below. You can use a description more than once.



2. Look at the pictures below. Name each 3–D object. Match each net with a 3–D object. What 2–D shape(s) do you see?

3-D object	Name of the 3-D object	Net	Name the 2-D shape(s)

9 10 11 12 13

3. Use the following phrases to describe the similarities and differences **between the objects**:



۲

4. Look at the pictures below. Name each 3–D object. Match each net with the 3–D object. What 2–D shapes do you see?

95

۲

3-D object	Name of the 3-D object	Net	Name the 2–D shapes
		$\forall \varphi$	
		$\forall \varphi$	

How fast are you? Can you identify the 3-D object?



15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

Describing 3-D objects

Revise: identify the 3-D objects in the pictures and say if they have flat or curved surfaces.



3-D object.







1. Name and describe the surfaces (flat or curved) of the following objects. We included a few challenges for you.



Term 2

2. Label the 3-D objects and then the net with the following words: face, edge and vertex.



3. Choose the correct net to go with each prism/pyramid.



g. Tetrahedron/

Triangular

 (\bullet)

15

a. Triangular b. Recta



h. Square

pyramid

c. Cube

d. Pentagonal prism

i. Pentagonal

pyramid





j. Hexagonal pyramid

23 24 25 26 27 28 29



f. Octagonal prism



k. Octagonal pyramid

Date:

97

30





From net to object

Choose any net. Enlarge it and make the 3-D object.

21

22

17 18 19 20

Geometric patterns

۲

Are the patterns getting smaller or larger





1. Describe the pattern using the statements below.

- The shape keeps its form, but gets larger or smaller in each stage.
- A shape or part of a shape is added at each stage.

Example:

35

Patterns in which a shape or part of a shape is added at each stage.

5

6



8

7

9

10

11

12

14

5 23

Term 2

98

(4)

- 2. Describe the pattern using the statements below.
 - Patterns with the same difference between the terms.
 - Patterns do not have the same difference between terms.

Example:

۲

15

The pattern does not have the same difference between the terms.



Describing geometric patterns



Describing the pattern:

"It is a pattern of hexagons." "Each hexagon is bigger than the one before."

Describing how the pattern was made: "I added one more match to each side of each hexagon." "Each hexagon has one more match in each side than the hexagon on the left."

Use this table to predict how many matches are in the 10th pattern.

Pattern	1	2	3	4	5	10
Number of matches	6	12	18	24	30	?

1. Describe the following patterns and extend them.

- i. Name the polygon.
- ii. How do you get from the one stage to the next?
- iii. Make use of a table to predict the 10th pattern.



6

8

9

10

Term 2

36

- 2. Look at this geometric pattern and answer the questions.
 - a. Label the patterns by saying which pattern is 1st, 2nd, 3rd and 4th.



- b. Describe the following patterns and extend them.
- i. Name the polygon.
- ii. How do you get from the one stage to the next?
- iii. Make use of a table to predict the 10th pattern.

1	2	3	4	5	10

24 25 26 27 28 29

3. Describe this pattern.



Create a pattern

23

Create your own geometric pattern using a polygon.

Name the polygon.

18

15

Explain how you get from the one stage to the next. Make use of a table to predict the 10th pattern.

20 21 22

19

30

Geometric patterns and tables

Describe and then compare the patterns by completing the tables below.



37



Hexagon pattern	1	2	3	4	5	10	He	xagon pattern	1	2	3	4	5	10
Number of matches								mber of atches						

Compare the two above examples with the introduction activity on the previous worksheet.

1. Answer the following questions.

a. Make use of the table to predict the 20th pattern.

Square pattern	1	2	3	4	5	20
Number of matches						



b. Compare your answers in the table with the pattern on the multiplication board below.

x	1	2	3	4	5	6	7	8	9	10
1	1	2	3	4	5	6	7	8	9	10
2	2	4	6	8	10	12	14	16	18	20
3	3	6	9	12	15	18	21	24	27	30
4	4	8	12	16	20	24	28	32	36	40
5	5	10	15	20	25	30	35	40	45	50
6	6	12	18	24	30	36	42	48	54	60
7	7	14	21	28	35	42	49	56	63	70
8	8	16	24	32	40	48	56	64	72	80
9	9	18	27	36	45	54	63	72	81	90
10	10	20	30	40	50	60	70	80	90	100

Term 2

102

6

8

9

10

2. Answer the following questions.

۲

15

17

19

18

a. Make use of the table to predict the 10th pattern.



۲

b. Compare your answers in the table with the pattern below.

1 x 1 x 1	=	1	=	1
2 x 2 x 2	=	8	=	3 + 5
3 x 3 x 3	=	27	=	7 + 9 + 11
4 x 4 x 4	=	64	=	13 + 15 + 17 + 19
5 x 5 x 5	=	125	=	21 + 23 + 25 + 27 + 29
6 x 6 x 6	=	216	=	31 + 33 + 35 + 37 + 39 + 41
7 x 7 x 7	=	343	=	43 + 45 + 47 + 49 + 51 + 53 + 55
8 x 8 x 8	=	512	=	57 + 59 + 61 + 63 + 65 + 67 + 69 + 71
9 x 9 x 9	=	729	=	73 + 75 + 77 + 79 + 81 + 83 + 85 + 87 + 89
10 x 10 x 10	=	1 000	=	



5 10 10 5

6 15 20 15 6

1 7 21 35 35 21 7 1 1 8 28 56 70 56 28 8 1 1 9 36 84 126 126 84 36 9

1 10 45 120 210 252 210 120 45 10 1 1 11 55 165 330 462 462 330 165 55 11 1 1 12 66 220 495 792 924 792 495 220 66 12 1 1 13 78 286 715 1287 1716 1716 1287 715 286 78 13 1

26 27

1 3 4 6 4

1

1

25

24

3 1

1

1

1

1

28

What geometric number pattern is highlighted in the Pascal's triangle?

21

20

22 23

103

30

Reflection symmetry

A type of symmetry where one half is the reflection of the other half.

You could fold the image and have both halves match exactly.



Here the lion's face looks perfectly symmetrical – but that is because we took a photo of half the face and copied it to the other side.

- Why did we do this?
- Aren't all faces symmetrical?
- Do you think your face is perfectly symmetrical? Why or why not?

The red line down the centre is called the Line of Symmetry



104

1. How many lines of symmetry do the following shapes have?



2. Answer the questions.

a. Are these triangles symmetrical? If so, how many lines of symmetry do they have?



b. Are these quadrilaterals symmetrical? If so, how many lines of symmetry do they have?



3. Draw three shapes that do not have lines of symmetry and two that do.

4. Say whether the dotted line on each shape is a line of symmetry.



Date:

105

30

5. Draw the second half of the symmetrical shape.

()

15



Symmetrical shapes

17 18 19 20 21 22 23 24 25 26 27 28 29

What are the three most common symmetrical objects you use on a daily basis?

More reflection symmetry

۲

The four common directions of symmetry.



1. Identify four directions of reflective symmetry as possible. Show it on the blocks.







2. How many lines of symmetry does each shape have?



Term 2

- 3. Draw the following and show all the lines of symmetry.
 - a. Can you draw a quadrilateral with only

1 line of symmetry?	2 lines of symmetry?	3 lines of symmetry?

b. Can you draw a pentagon with unequal sides, with

1 line of symmetry?	2 lines of symmetry?	3 lines of symmetry?

c. Can you draw a hexagon with unequal sides, with

1 line of symmetry?	2 lines of symmetry?	3 lines of symmetry?
		5 miles of symmetry:

4. How many lines of symmetry do these patterns have?



Sharing and grouping problems

Can you still remember what you did to groups of numbers to make them equal?

30 000	40 000)
30 000	40 000	'

50 000

Can you move the numbers to make 3 equal groups?

What operation can you use to determine the total?

Make a drawing of your work.

10a

1. Complete the following:

- a. Change the numbers to make them equal.
- b. Write down an addition sum for each.
- c. Write a multiplication sum for each.
- i. 7 000, 8 000, 9 000 ii. 40 000, 50 000, 60 000 а. а. b. b. C. C. iv. 40 000, 60 000, 80 000 iii. 20 000, 40 000, 60 000 a. а. b. b. C. C. v. 10 000, 30 000, 50 000 vi. 50 000, 70 000, 90 000 а. а. b. b. С. C. 108 5 6 8 9 7 10 11 12

Ferm 2

2. Calculate the following:



3. Use number lines to show the following:

a. Share 120 000 between 3.
b. Share 12 000 between 4.
c. Share 150 000 between 5.
d. Share 150 000 between 50.
e. Share 180 000 between 30.
f. Share 180 000 between 300.

continued •

26

27

109

Divisibility rules. These divisibility rules will help you with sharing.

A number is divisible by 2 if the last digit is 0, 2, 4, 6 or 8.

A number is divisible by 3 if the sum of the digits is divisible by 3.

A number is divisible by 4 if the number formed by the last two digits is divisible by 4.

A number is divisible by 5 if the last digit is either 0 or 5.

20

A number is divisible by 6 if it is divisible by 2 and it is divisible by 3.

A number is divisible by 8 if the number formed by the last three digits is divisible by 8.

23

A number is divisible by 9 if the sum of the digits is divisible by 9.

21

A number is divisible by 10 if the last digit is 0.

19

Sharing and grouping problems continued

4. Complete the table below.

40b

Number	Can you divide the number by:	Show the sum:	Addition sum	Multiplication sum
186 000	3	186 000 shared by 3 = 62 000	62 000 + 62 000 + 62 000 = 186 000	62 000 x 3 = 186 000
194 255	5			
167 324	4			
151 500	6			
123 147	9			

5. Complete the table below. The first one has been done for you.

is divisible by:	С	ircle	the	corr	ect	nun	nber	·(s).
a. 150	2	3	4	5	6	8	9	10
b. 225	2	3	4	5	6	8	9	10
c. 7 168	2	3	4	5	6	8	9	10
d. 9042	2	3	4	5	6	8	9	10
e. 35 120	2	3	4	5	6	8	9	10

6. Answer true or false using the divisibility rules.



Term 2



How fast can you divide?

(Colour in the numbers you can divide by:													
3				4					5					
	242	188	221	243		224	399	907	641		892	252	673	396
	367	431	369	998		321	532	423	518		225	330	990	875
	292	219	521	344		531	577	640	261		473	788	221	389
	521	302	520	218		918	225	999	916		344	344	549	426

15

16

17 18 **19 20** 21 **22** 23 **24** 25 **26** 27 **28** 29 30

Date:

Look at the following statements and give an example of each.



1. Look at the picture and complete the table.

Rate



	Weight	Cost
а	1 kg	R50,00
b	900 g	
С	800 g	
d	700 g	
е	600 g	
f	500 g	
g	400 g	
h	300 g	
I	200 g	
j	100 g	



10

11

12

8

7

9

Chicken: R25/kg

2. Chicken: R25/kg

- a. How much will it cost me to buy 2 kg?
- b. How much will it cost me to buy 750 g?
- c. How much will it cost me to buy 6,5 kg?

5

6

3

2

Term 2

4

4





1. Add something to the second picture so that the ratio is the same for both pictures.





2. Draw a picture to show each ratio.

a. Blue caps to red caps 5:8	b. Boys to girls 12:10
c. Juice bottles to water bottles 3:2	d. Dogs to cats 6:5

b.

3. Copy and finish each picture to make equal ratios of red to blue objects.









 $(\mathbf{\Phi})$

 \bigcirc

4. For each of the diagrams below write down the ratio of the number of shaded segments to the number of unshaded segments. Give the simplest possible form of the ratio.



5. Which of these is better value for money? Why? Show your calculations. Juice A: Dilute with water 1:6. 1 litre = R13,99

Juice B: Dilute with water 1:4. 2 litres = R18,99

6. I make a sauce which needs 2 spoons of oil for every 3 spoons of lemon juice.
1 spoon = 15 ml. If I want half a litre of sauce, how much oil do I need and how much lemon juice do I need? Show your calculations.



18 19 20 21 22 23 24 25 26 27 28 29

Find 4 products at home which use ratios. Bring the packaging if you can, otherwise write down what the product is and copy the instructions on it which explain how it must be mixed. For each one, work out how much you will use of each item for 3 different quantities (e.g. If a juice bottle says "mix with water 1:3", then work out how much juice and how much water you will use for 1 litre, 2 litres, 3 litres of the juice).

Choose your own quantities.

15

17

30

Date:

Factors

Discuss this.

43

Prime numbers have only two different factors. The one factor is 1. The other factor is the prime number. 2 is a prime number.

> 1 x 2 = 2 There are only 2 factors: 1 and 2.

Composite numbers have more than two different factors. The number 21 is a composite.

1 x 21 = 21 3 x 7 = 21 There are 4 factors: 1, 21, 3 and 7.

1. Complete the following:

Number	Factors	How many factors?	Prime or composite?
12	1, 2, 3, 4, 6, 12	6	Composite
13			
15			
11			
10			
41			
23			
63			
73			
81			
77			
49			
33			
108			
121			

2. Express each of the following odd numbers as the sum of 3 prime numbers.

6

8

7

9

10 11

12

13

14



5

3

2

116

Term 2



4. Complete the table

۲

15

Number	Factors	Number of factors
7		
14		
9		
18		
15		
30		
45		
90		



16 17 18 19 20 21 22 23 24 25 26 27 28 29 30



share the small cubes in this block between 50 children.
--

Share the small cubes in this block between **30** children.



H	H.	H	/	Ź	_

1. Complete the following:

Term 2

- a. You have 229 objects. Divide them into groups of 4. How many groups do you have?
- How many objects are left over that do not fit into a group? Draw a picture of your groups.
 - . Q

۲



c. Write a division sum showing how you got your groups.



2. Complete the table below. If you need more space for your pictures, use a separate sheet of paper to draw them.

/					egere:	ļ
	Division sum					continued 🖝
	A picture					
	How many objects are left over that do not fit into a group?					
	How many groups do you have?					
		Divide 1 000 objects into 5 groups.	Divide 10 000 objects into 8 groups.	Divide 100 000 objects into 7 groups.	Divide 500 000 objects into 6 groups.	

۲

.... .

28 29 30

27

26

2

22 23

m.

80

ŝ

-

2



Division

Quick recall:

10 ÷ 2	4 ÷ 1	50 ÷ 5	2 ÷ 1	18÷2	35 ÷ 5
45 ÷ 5	3 ÷ 1	16 ÷ 4	5 ÷ 1	12 ÷ 4	28÷4
20 ÷ 2] 6 ÷ 3	4 ÷ 2	45÷3	25 ÷ 5	30÷3
28 ÷ 2	12 ÷ 3	20 ÷ 4	15÷5	21÷3	10÷5
36 ÷ 4	40 ÷ 4	22 ÷ 2	18÷3	8 ÷ 2	39÷3

1. How well do you remember? Fill in the missing number. A number is divisible by:



lerm 2

- if the number formed by the last two digits is divisible by 4.
- if the last digit is 0, 2, 4, 6 or 8. <u>0</u>
 - if the last digit is 0. Ū.

۲

- if it is divisible by 2 and it is divisible by 3. . ب
- if the number formed by the last three digits is divisible by 8. . Ö
 - if the sum of the digits is divisible by 3. Ē

2. Estimate and then calculate the following:

- Share 880 between 80 ы. С
- Divide 900 by 100. . Q
- How many groups of 8 can be made from 480? ن ن
- How many lengths of 100 m can you cut from 1 km? Ъ.
- Is 840 divisible by 40? How do you know? Ū.
- Write down two numbers with a quotient of 60. . ب
 - - Share 2 700 between 90. . Ö
 - - Divide 3 200 by 80. . _
- How many groups of 700 can be made from 3 500?

- Write down two numbers with a quotient of 25.

b. There are 940 people. There are 9 seats in a row. c. I have 880 sweets. One packet holds 8 sweets. d. How many metres are there in 4 kilometres? a. I have R249,50. Tickets cost R10,00 each f. How many 8s are there in 1 000? e. What is one quarter of 1 000? How many packets can I fill? How many rows are there? How many can I buy?

3. Make drawings on a separate page to show your calculations.

- g. What is half of 1 000?
- h. What is a fifth of 1 000?
- i. Make up your own division word sum.
- 4. Share each of the following between 5, 6, 50, 60, 500 and 600. Write down any remainders.

۲

	5	9	50	09	500	009
a. 3 000						
b. 1 500						
с. 1 800						
d. 6 000						
e. 9 000						
f. 8 000						
g. 6 500						
h. 1 200						
			•			
			Circled numbers	ers		

Circle the numbers that you can divide by all of these numbers: 2, 4, 5, 20, 40, 50, 200, 400 and 500. 16 000 10 000 15 000 8 500 8 000 9 000 2 100 What do you notice? 2 000

28 29 30

.m

00

9

ŝ

-

2

122

ite: We raised R8 674 in our community to give the old age home a special dinner. There are 128 people living in the old age home. How much can we spend per person? 2. Calculate the following and use a calculator to check your answers: П f. 4 217 ÷ 174 = b. 7 323 ÷ 128 9 522 ÷ 151 Paying for the dinner ю. 29 remainder 20 132 3 848 e. 6 373 ÷ 135 = a. 3 829 ÷ 126 5 637 ÷ 183 - 264 1 208 1 188 20 . i If the last digit is an even number.
 If the sum of the digits is divisible by 3, the whole number is also divisible by 3.
 If the number made by the last two digits is divisible by 4, the whole number is also divisible by 4 - Take the last digit, double it, and subtract it from the rest of the number; if the answer is divisible - Subtract the sum of the even digits from the sum of the odd digits; if the difference, including 0, - If the sum of the last three digits is divisible by 8, the whole number is also divisible by 8. 12 Calculate the following and use a calculator to check your answers: 7 - If the sum of all the digits is divisible by 9, the number is also divisible by 9. 9 Tick the correct column 6 - If the number is divisible by both 3 and 4, it is also divisible by 12. If the number is divisible by both 3 and 2, it is also divisible by 6. by 7 (including $\overline{0}$), then the whole number is also divisible by 7. 8 092 ÷ 149 ω - If the last digit is a 5 or a 0, the number is divisible by 5. is divisible by 11, the number is also divisible by 11. <u>.</u> 9 - If the number ends in 0, it is divisible by 10. More division ഹ 1. Say if the number is divisible by 4 റ $24 \begin{bmatrix} 23 \text{ rem 8} \\ 560 \\ - \frac{48}{80} (24 \times 2) \\ \frac{72}{8} (24 \times 3) \end{bmatrix}$ Rules of divisibility: 26 268 Example: b. 1 320 a. 5 040 c. 3 024 a. 9 11 11 12 702435 2

۲

Term 2

۲

124

28 29 30

27

26

3

2

m.

80

s

-

2





			1 1 1	-1-1-1				•			1	C	C		Sign:	Date:	<u> </u>
	800 900 1000	Metres	0,255 m						met my friend.								00 00 86 10
	e the tables below.	Decimal fraction	0,255		: equal to 1 litre.	equal to 1 ml.	equal to 100 ml equal to 100 ml	$\frac{100}{1000}$ of the jug is equal to 100 ml.	1 5 of the km and then jether?		ominoes	eqs po un	w 0			25 100	04 96 96
	3. Look at the measuring stick and complete the tables below. 0 100 200 300 400 500 600 700 800 900 10 0 100 200 300 400 500 600 700 800 900 10	Fraction of the measuring stick	255		Answer true or false: a. $\frac{1}{10}$ of the jug is equal to 1 litre.	b. $\frac{1}{10}$ of the jug is equal to 1 ml.	c. $\overline{10}$ of the jug is equal to 100 ml. \equiv d. $\frac{10}{200}$ of the jug is equal to 100 ml.	e. <u>1000</u> of the jug	5. I need to walk 1 km to school. I walked $\frac{1}{5}$ of the km and then met my friend What part of the kilometre did we walk together?		Fraction Dominoes		2				30 94 99 93
	Look at the measuri 111111111111111111111111111111111111	Millimetres	255 mm 275 mm	309 mm 892 mm 313 mm	4. Fill $\frac{1}{10}$ of the jug.		000 m 800 m 700 m 600 m 600 m 600 m	300 ml	I need to walk 1 km What part of the kilor			How to play: See the Worksheet 48, Dage 129	2				49 40 40
	ς				4				ی م	 1							44 45 00
surement		0,8		So, I can say 1 km equals 1000 m.	limetres.		Centimetres	0,5 cm			80 90 100		Metres	0,15 m			64 69 69
rough mea		0,4 0,5 0,7 0,7 0,7 0,7 0,7 0,7 0,7 0,7 0,7 0,7	400 900 900	<u> </u>	by writing in the mil	0	Decimal fraction	0,5		the tables below.	60 70		Decimal fraction	0,15			0
More fractions through measurement		0,3	0 100 200 300		stick. Label the stick e below.	one centimetre	Fraction of the measuring stick	5 10		Look at the measuring stick and complete the tables below.	0 10 20 30 40 50 60 70 80 90 100 100 100 100 100 100 100 100 100	Fraction of the	measuring stick	15 100			4
More f	Read the descriptions.	This number- line shows 1 km.	This number- line shows 1 000 m.	The number- lines are exactly the same in length.	1. Look at the measuring stick. Label the stick by writing in the millimetres. Then complete the table below.		Millimetres n			k at the measuring	10 20		Centimetres	15 cm	32 cm 55 cm	75 cm	89 cm

130

۲

-

9

M

۲

Fractions

If all of the small squares together represent one kilogram, why can we say that each of the small squares represents one gram?

1	17	17			1		17	17	1 1		17		1				17	17	17	
			-	-	-	-						-	-	-	-	-				-
																				_
-	\vdash	\vdash	-	-	-	-	\vdash	\vdash			\vdash	-	-	-	-	-	\vdash	\vdash	\vdash	-
_			-	-	-	-						-	-	-	-	-				-
-												-			-					-
	_	_	_	_	_	_	_	_			_	_	_	_	_	_	_	_	_	_
-			-	-	-	-						-	-	-	-	-				-
_			-	-	-	-						_	-	-	_	-				-
1	1	1	17	17		17	17	1	1 1		1			17		17	1	1	1	
-			-	-	-	-							-	-		-				-
_			-	-		-						_		-	_	-				_
_			_	_	_	_						_	_	_	_	_				_
-			-	-	-	-						-	-	-	-	-				-
			L	L	L	L							L	L		L				
-			-	-	-	-	\vdash					-	-	-	-	-				-
												L			L					L.
-			-	-	-	-						-	-	-	-	-				-
			_	_		_						_		_	_	_				_
-			-	-	-	-							-	-		-				-
																				L
-			-	-	-	-				1		_	-	-	_	-				_
												-			-					
			-	-	-	-						-	-	-	-	-				_
-			-	-	-	-						-	-	-	-	-				-
																				_
_			-	-	-	-							-	-		-				-
1	1	1	17	17	1	17	11	1	1 1		1		1	17		17	1	1	1	
_			_	_		_						_		_	_	_				
1	17	17	17	17		17	1]	17	1 1		17			17		17	17	17	17	17
-			-	-	-	-						-	-	-	-	-				-
					L								L	L		L				
-			-	-	-	-						-	-	-	-	-				-
1	17	17	17	17		17	1]	17	1 1		17			17		17	17	17	17	
-			-	-	-	-						-	-	-	-	-				-
			_	_		_						_			_					_
_			-	-	-	-	\vdash					-	-	-	-	-				-

1. Look at the diagram and complete the table on the next page.



ì							
1	Kilogram	0,546 kg					
	Decimal fraction			0,1			
	Fraction					8 1000	
	Colour	Green	Blue	Yellow	Pink	Orange	

2. Make your own word sum about the diagram on the previous page.



11 12

9

m.

80

-

5

-

2

Term 2

						$ \mathbf{\Theta} $							
	Č.										John Park	Date:	135
4. Use the table to decide what colour fraction of beads is: a. less than $\frac{1}{5}$? [red, white and purple]									Fraction Dominoes			of a litre a metre	04 00 00 04 05 06 04 00 00
4. Use the table to decide w a. less than $\frac{1}{5}$? $\frac{red, wt}{}$	b. more than $\frac{1}{5}$?	c. less than $\frac{1}{10}$?	e. than 0,005?	a. 0,4; 0,5; 0,6; 0,7	b. 0,07; 0,08; 0,09;	c. 0,006; 0,007; 0,008;	d. 1; 0,99; 0,98;	e. 0;126; 0,125; 0,124;		How to play: Play fraction dominoes with a partner. See worksheet 48, page 129.			44 45 68 47 12 10 30
6					Total beads	200							64 45
led	te the table below.				Decimal fraction	0,2							
Fractions continued	Look at the bead diagram and complete the table below.				Fraction	200 1000							
506 Frac	3. Look at the bead		000000 000000 000000 000000 000000 00000		Beads	Orange	Green	Blue	Red	White	Purple	Yellow	134


1. It is the protocol of the pr	D: What fraction of 1 lite is this? D: What fraction of 1 lite is this? D: Answer $<_{s} >_{s}$ of a lite. i. 200 ml $\overline{1}$ d f a lite. i. 200 ml $\overline{1}$ d f a lite. ii. 100 ml $\overline{1}$ d f a lite. v. 50 ml $\overline{1}$ d f a lite. III d f a lite.
Image: State of the formation of the format	<image/>

		۲			
					Bates
i i	3. Look at all the rulers and coloured lines and complete the table on the next page.	0 100 100 200 300 400 500 600 700 800 900 1000 1000 1000 1000	0 100 100 000 100 000 1000 1000 1000 1		
0,64	Decimal	2,55			-89
1 <u>0</u>	ou	55 100	م ساب	25 or	2 S
decimal fractions.	Mixed number Whole Prop number fracti	2			7 8 9 10
52 Describe each diagram using fractions and decimal fractions.	1. What parts are shaded? Shapes				
	Тегт 2				

_

More decimal notation

۲

Decimal	fraction or m	2,6 m				
	Mixed fraction	<u>2600</u> 1 000				
Mhole numbers and common fractions	Fraction of one metre	600 1 000				
Whole nu commor	Whole metre(s)	2				
	шш	1 000 mm + 1 000 mm + 600 mm = 2 600 mm				
What is the	total length of the	blue line	red line	green line	yellow line	purple line

4. Write the following as a decimal fraction.

۲

Term 2



Mixed Fraction

A Mixed Fraction is a whole number and a proper fraction combined into one 'mixed' number.

Improper Fraction

An improper fraction has a numerator (the top number) that is greater than or equal to the denominator (bottom number).

 $\frac{4}{3}$ $\frac{5}{2}$ $\frac{7}{5}$ $\frac{2}{2}$. Example:

142



Time in decimal form

Jse the words below to explain the pink on the clocks.

hours

d. 6 minutes =

hours.

c. 12 minutes =

Division sum

Hours in decimal fraction

Hours in common

3. Complete the table:

fraction

Minutes

 $1 \div 10 = 0, 1$

0,1

 $\frac{6}{60} + \frac{6}{6} = \frac{1}{10}$ $\frac{12}{60} + \frac{6}{10} = \frac{2}{10}$

9

10

24 30 36 42 48 54

12







Very important to remember!

• 0,5 hours = 30 minutes, not 50 minutes. This is because decimals show fractions of tenths, hundredths, thousandths and so on. Minutes are

Term 2

- Similarly, $\frac{1}{4}$ hour = 15 minutes, and $\frac{1}{10}$ hour = 6 minutes. measured in sixtieths of an hour.

1. Write your answer in common fractions.

۲



2. Write the answers in decimal fractions.

hours. a. 30 minutes = [

hours. b. 15 minutes =

















How long does it take to do my homework?

09

How many minutes did I spend in total?

145

28 29 30

s

-

2





	(•		
			Parter Date	
Complete up to the next tenth Complete up to the next unit 2.534 + = 2,600 2,534 + = 3 6,876 + = 6,900 6,876 + = 7 5,163 + = 5,200 5,163 + = 6	= 4,100 4,087 + = 5 = 9,999 + = 6 15,342 = 15,342 = = 6 82,059 = 82,059 = = 6	Example 2: 4 2 3 + 1 4 5 0 0 0 6 0 0 0 0 + 5 0 0 6 0 0 0 1 5 6 8 6 6 0 0 6 6 0 0 6 6 0 0 6 6 0 0 6 6 0 0 7 6 8 6	What can you	24 25 26 27 28 29 30
A. Complete the table. A. Complete up to the next Complete up to the next a. 2,534 2,534+ 2,534+ b. 6,876 6,876+ 2,534+ 2,534+ c. 5,163 5,163+ 5,163+ 5,163+ 5,163+	d. $4,087$ $4,087 + \boxed{1} = 4,090$ $4,087 + \boxed{1}$ e. $9,999$ $9,999 + \boxed{1} = 1$ $9,999 + \boxed{1}$ b. $9,999 + \boxed{1} = 1$ $9,999 + \boxed{1}$ c. $3,958 = 4 + 0,5 + 0,07 + 0,008$ $b.$ c. $3,782 = \boxed{1} = 1$ $d.$ e. $89,294 = \boxed{1} = \boxed{1}$ f. $9,456,321 = \boxed{1}$ h. $809,402 = \boxed{1}$	Examples: Example 1: 4,234 + 1,452 = 4 + 1 + 0,2 + 0,03 + 0,05 + 0,004 + 0,002 = 5 + 0,6 + 0,08 + 0,006 = 5,686	 6. Calculate the following using any method. Do your calculations on an extra piece of paper. a. 5,326 + 4,542 = b. 3,234 + 2,549 = b. 3,234 + 2,549 = c. 3,785 + 4,156 = d. 4,349 + 1,874 = e. Test your answers. 	16 17 18 19 20 21 22 23
Adding and subfracting decimals What is the difference between the numbers? Fill in the last number. Cont forwards: 0,1 0,2 0,1 0,2 0,1 0,3		5:	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	4 5 6 7 8 9 10 11 12 13 14 15
SG Addin Addin What is the difference b count forwards: 0,1 0,2 0,3	0,002 0,002 0,002 0,00 3; 0,6; 0,9; 5; 4,4,5; 2; 6,9; 6,6; 2; 6,9; 0,0; 02; 0,04; 0,0; 02; 0,04; 0,0;	99, 4,88; 4,77; [125; 0,130; 0,13 125; 0,250; 0,37 337; 9,837; 9,73 91ete the table find 0,1		0 1 2 3

Term

															Blg	Valo,	151
	b. 0,027 0,27	d. 0,9000,09	f. 2,7602,76	h. 4,55,4	j. 9,999 99,99	Example 3: 4,9 – 1,783	I	0 , 0 0 8 (0,008 + 0) 0 , 0 0 7 (0,010 - 0,003) 0 , 0 7 0 (0,07 + 0) 0 , 0 1 0 (0,09 - 0,08)	+	8 3,117 Dd.		What can you do?	What can this	2,500			
4. Fill in <, > or =	a. 0,43 0,430 b.	c. 0,900 0,90 d.	e. 1,0040,14 f.	g. 5,400 5,4 h.	i. 18,1 18,100 j.	Example 1: Example 2: 5,678 + 4,9 5,678 + 4,9	+	= 5 + 4 + 1 + 0,5 + 0,07 + 0,008 0 , 0 0 = 10,578 0 , 0 7	+ 1,50	5. Calculate the following using any method.	a. 45,783 + 8,92 =	b. $32,24 + 19,387 =$	c. $52,793 + 28,32 = $ d. $69,8 + 21,876 = $	e. 87,683 + 49,9 =	1. $7_{00} = 44 0 = 60$ 1. $7_{00} = 25,534 = 60$	h. 384,4 - 123,789 = B73,5 - 200,000	
ω												10					
4											Decimal fraction	0,3 + 0,04 + 0,005					
വ	•			Words	ur five						Decima	0,3 + 0,0					
7					a three fo												
с					Zero comma three four five						tion	5 000					
2				tion	Zer						Common fraction	$\frac{4}{100} + \frac{5}{1\ 000}$					
9		۲	elow:	Common fraction	345 1 000					ation.	Comm	10 +					
6		n revisio	table b	n Comr						Ided not	ſ						
-		Decimal fraction revision	1. Complete the table below:	Decimal fraction	0,345	5,879	3,402	18,005	23,900	2. Write in expanded notation.	Decimal fraction	0,345	5,879	3,402	18,005	23,900	9

28 29 30

27

26

8

.m

00

-

5

2

150

۲

Adding and subtracting more decimals

Column b

Column A

3. Match column B with column A.

iii. 0,025

ii. 0,5 . 1.

b. 0,250 a. 0,500

c. 0,205 d. 0,025

sylpuesnoyl

v. 0,205 iv. 0,25

e. 5,000

Look at the table and discuss.

shindredths	4	
sdîn9î	2	
stinu	7	4
snət	3	
punq	2	
spuesnoyj	9	
ten ten	6	
hundred bandsands	<i>(</i>	
		I

Term 2

More adding and subtracting of decimals 00

hundredth	
and then one	i the given number
Count one tenth	forward from the

	Add 0,1	Add 0,01
0,45		
0,68		
1,34		
2,41		
3,06		

Count one tenth and then one hundredth backward from the given number.

Subtract 0,1 Subtract 0,01 0,45 0,45 0,68 1,34 1,34 2,41 3,06			
0,45 0.45 0,68 1.34 1,34 2.41 2,41 3.06		Subtract 0,1	Subtract 0,01
0,68 (1.34 (1.34 (1.34 (1.34 (1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(1.35)(0,45		
1,34 1,34 2,41 3,06	0,68		
2,41 3,06	1,34		
3,06	2,41		
	3,06		

1. Add the following using the examples to guide you.

Example 1: 0,2 + 0,4 = 0,6	a. 0,1 + 0,5 =	b. 0,5 + 0,4 =
Example 2: 0,25 + 0,4 = (0,2 + 0,4) + 0,05 = 0,6 + 0,05 = 0,65	c. 0,64 + 0,2 =	d. 0,73 + 0,2 =
Example 3: 0,38 + 0,9 = (0,3 + 0,9) + 0,08 = 1,2 + 0,08 = 1 + 0,2 + 0,08 = 1,28	e. 0,38 + 0,7 =	f. $0,79 + 0,4 =$
Example 4: 0.42 + 0.35 = (0.4 + 0.3) + (0.02 + 0.05) = 0.7 + 0.07 = 0.77	g. 0,63 + 0,23 =	h. 0,65 + 0,24 =
Example 5: 0,46 + 0.28 0,46 + 0.28 = (04 + 0.2) + (0,06 + 0,08) = 0,6 + 0,14 = 0,6 + 0,1 + 0,04 = 0,7 + 0,04	i. 0,62 + 0,19 =	j. 0,57 + 0,25 =
Example 6: 0,99 + 0,35 0,99 + 0,35 = (0,9 + 0,3) + (0,09 + 0,05) = 1,2 + 0,14 = 1 + 0,2 + 0,1 + 0,04 = 1 + 0,3 + 0,04 = 1,34	k. 0,32 + 0,99 =	l. 0,32 + 0,99 =

2. Su

	b. 0,5 - 0,1 =	d. 0,38 – 0,1 =	f. 0,67 – 0,23 =	h. 0,58 – 0,23 =	j. 0,53 – 0, <i>37 =</i>	I. 1,63 – 0,87 =
the examples to guide you.	a. 0,7 - 0,3 =	c. 0,83 – 0,2 =	e. 1,83 – 0,9 =	g. 0,69 – 0,46 =	i. 0, 85 – 0,47 =	k. 1,57 – 0,78 =
Subtract the following using the examples to guide you.	Example 1: 0,4 - 0,2 = 0,2	Example 2: 0,42 - 0,3 = (0,4 + 0,02) - 0,3 = 0,1 + 0,02 = 0,12	Example 3: 1,42-0,5 = $(1+0,4+0,02)-0,5$ = $(1,4+0,02)-0,5$ = $0,9+0,02$ = $0,9+0,02$	Example 4: 0.76 - 0.34 = (0.7 + 0.06) - (0.3 + 0.04) = 0.7 - 0.3) + (0.06 - 0.04) = 0.4 + 0.02 = 0.42	Example 5: 0.76 - 0.49 = (0.7 + 0.06) - (0.4 + 0.09) = (0.6 + 0.16) - (0.4 + 0.09) = (0.6 - 0.4) + (0.16 - 0.09) = 0.2 + 0.07	Example 6: 1,46-0,99 = (1+0,4+0,06) - (0,9+0,09) = (1,4+0,06) - (0,9+0,09) = (1,3+0,16) - (0,9+0,09) = (1,3-0,9) + (0,16-0,09) = 0,44+0,07

۲

ate:

Term 2

 \bigcirc

c = 9 + 0,1 + 0,02	4 = 8,54		e board.	3 2 1	4 v v	<u> </u>	10 h water? 04. Which one is more realistic and why?	165 145 26 27 28 29 30
4. Write in expanded notation. Example: 9,12	1,13 = 5,89 = 3,05 = 2,99 = 2 ,99 =	a. $3 + 0, 1 + 0,02 = $ b. $7 + 0,9 + 0,01 = $ c. $9 + 0,8 + 0,03 = $	 d. 5 + 0,1 + 0,01 =	0,1 0,2 0,3 0,4 0,5 0,6 0,7 0,8 0,9 1,1 1,2 1,3 1,4 1,5 1,6 1,7 1,8 1,9 2,1 2,2 2,3 2,4 2,5 2,6 2,7 2,8 2,9	3,1 3,2 3,3 3,4 3,5 3,6 3,7 3,8 3,9 4,1 4,2 4,3 4,4 4,5 4,6 4,7 4,8 4,9 5,1 5,2 5,3 5,4 5,5 5,6 5,7 5,8 5,9	6,2 6,3 6,4 6,5 6,6 6,7 6,8 7,2 7,3 7,4 7,5 7,6 7,7 7,8 8,2 8,3 8,4 8,5 8,6 8,7 8,8	9,1 9,2 9,3 9,4 9,5 9,6 9,7 9,9 10 How much water? I had 0,4 of the glass of water. My friend says she had 0,04. Which one is more realistic and why?	15 16 17 18 19 20 21 22 23
places	We use decimal fractions on a daily basis. Here is one example. Give more examples. Note that in South Africa we use a decimal comma, although, as in this example the decimal point is also used.	Umn. Tens Units Tenths Hundredths			Example: 5,34 = 5 units + 3 tenths + 4 hundredths		Example: 5,37 = five comma three seven	6 7 8 9 10 11 12 13 14
two decimal places	We use decimal fractions on a daily Give more examples.	1. Write the numbers in the correct column. Number Thousands Hundreds			 2. Write in expanded notation. Exam a. 1,13 = b. 5,89 = 		3. write the tollowing in words. Exam a. 4,37 = b. 8,99 = c. 9,01 =	3 4 5

PC

(

۲

0,1 3,04 6,18 3,05 0'0 i. 3,42 C. 6,8 f. 3,5 0,08 My brother paid 350c for his juice. I bought mine for R3,05. Who paid the least? 0,07 d. Which number comes after 0,1 on this number line? 3. Look at the number line and answer the questions. 0,06 c. Which decimals are between 0,03 and 0,05? 0,21 8,06 9'2 0,05 a. Which decimal is smaller than 0,04? b. Which decimal is bigger than 0,04? h. 9,05 b. 0,12 0,04 e. 8,6 0,03 a. 0,12; 0,2; 0,02; 0,21; 0,22 b. 0,05; 0,5; 0,15; 0,51; 0,55 6. Write in descending order. 0,01; 0,11; 0,12; 0,22; 0,21 5. Write in ascending order. 0,09; 0,99; 0,91; 0,19; 0,9 0,02 7,42 1,01 0,01 4. Fill in <, >, =. g. 4,72 d. 1,11 a. 0,4 0 n Compare and order decimal fractions 1 0,4 0,1 1,3 5,3 7,6 $\frac{40}{100} = 0,40$ to at least two decimal places b. 0,7 = 0,70 $\frac{4}{10} = 0,4$ 2. Complete the number lines. 1. On the diagrams show that: and 0,40 are the same. Do you know that 0,4 You can show it by using a drawing like the one on the right. a. 0,6 = 0,60 1,5 0.3 1,2 5,2 ╁ ţ Ţ ы. ġ ن ō Ð.

۲

۲

28 29 30

27

26

3

23

53

5

, con

80

-

ŝ

-

2

156

Term 2

Multiplying with decimals

What pattern do you see?

x100

x10

ž

3. Multiply with 1, 10 and 100.

120

12

1,2

Example: 1,2

a. 1,5

b. 4,3

0,1 x 10 = 1 0,1 x 100 = 10	0,2 x 100 = 20	0,3 x 100 = 30	0,4 x 100 = 40	0,5 x 100 = 50	0,6 x 100 = 60	0,7 x 10 = 7 0,7 x 100 = 70	0,8 x 100 = 80	0,9 x 10 = 9 0,9 x 100 = 90
0,1 x 10 = 1	0,2 x 10 = 2	0,3 x 10 = 3	0,4 x 10 = 4	0,5 x 10 = 5	0,6 x 10 = 6	0,7 x 10 = 7	0,8 x 10 = 8	0,9 x 10 = 9
0,1 x 1 = 0,1	0,2 x 1 = 0,2	0,3 x 1 = 0,3	0,4 x 1 = 0,4	0,5 x 1 = 0,5	0,6 X 1 = 0,6	0,7 x 1 = 0,7	0,8 x 1 = 0,8	0,9 x 1 = 0,9
1 x 100 = 100 0,1 x 1 = 0,1	2 x 100 = 200	3 x 100 = 300	4 x 100 = 400	5 x 100 = 500	6 x 100 = 600	7 x 100 = 700	8 x 100 = 800	9 x 100 = 900
1 x 10 = 10	2 x 10 = 20	3 x 10 = 30	4 x 10 = 40	5 x 10 = 50	6 x 10 = 60	7 x 10 = 70	8 x 10 = 80	9 x 10 = 90
1 X 1 = 1	2 x 1 = 2	3 x 1 = 3	4 x 1 = 4	5 x 1 = 5	6 x 1 = 6	7 x 1 = 7	8 x 1 = 8	9 x 1 = 9

1. Multiply with 1, 10 and 100.

Term 2

	Example: 0,2	a. 0,5	b. 0, 3	c. 0,8	d. 0,4	e. 0,9
x1	0,2					
x10	2					
x100	20					

۲

2. Show the following on a number line.



Ť

c. 0,8 x 10 =

4. Show the following on a number line. 5. Multiply with 1, 10 and 100. a. 1,5 x 10 = C. 6,8 d. 7,4 e. 5,9

	۲۲	x10	x100
Example: 1,2	1,25	12,5	125
a. 1,54			
b. 4,36			
c. 6,88			
d. 0,43			
e. 0,09			

6. True or false? 0,34 x 100 = 3,4 x 10

ate:

28 29 30

27

25 26

3

m.

80

ŝ

-

2

158

Find out how much you pay per kilolitre water or ask any family member or friend. How much water do they use in a month? What does it cost?



Term 2

Estimating, measuring and recording capacity

Describe the capacity and volume of all these containers.



-103

500 millilitres

3

What is the total capacity of all the containers? What is the total volume of all the containers? How much more liquid do we need to fill all the containers?

1. Use your own containers. Complete the table below:

۲

	Participation of the second			
Container	Esumation			Dillerence between estimation (ml) and
	Millilitres	Common Fraction	Decimal Fraction	measurement (ml)
A				
В				
ပ				
Q				
ш				

2. Calculate the following:

C

•					านติเว
	c. Twice container A.	f. Double container C.	i. Double container D.		vater is left?
	b. Container B and C.	e. Container A, B and C.	h. Container C, D and E.	Problem solving	The tank contained 4 kilolitres. The household used 2 450 litres. How much water is left?
Calculate the following:	a. Container A and B.	d. Container C and D.	g. Container D and E.		The tank contained 4 kilolitres. The h

۲

28 29 30

27

26

2



What is the capacity of each container? What is the volume in each container?



Capacity is the amount of space (inside an object such as a container) that can hold something (such as a liquid).

Volume is the amount of space actually occupied by something such as a liquid.

So a bottle may have a 1 litre capacity, but the volume of liquid in it could, for example, be only 250 ml.

1. Use the containers below to answer the questions.

- i. What is the capacity of the container (up to its highest measuring mark)?
- ii. What is the volume of liquid in the container?





3. How many spoons will fill the container?

i. Give your answer in spoons. ii. Give your answer in millimetres.

۲



28 29 30

27

26

3

23

53

21

10 11 12

m.

80

-

9

5

-

2

Term 2

Millilitres to kilolitres continued

4. Write everything down to support your answer.

a. How much is 1 litre?

b. How much is 1 millilitre?

Term 2

c. How much is 1 kilolitre?

۲

	wing:
:	0
:	omplete the following:
	nolet
	ō

ົກ 5. Co

kilolitre b. 1 millilitre = d. 1 litre = litre Ε c. 1 kilolitre = a. 1 litre =

litre

millilitre

e. 1 kilolitre =

6. What units would you use if you wanted to measure the following?

a. The amount of water you use in a month.

b. The amount of water to use when mixing baby milk formula for one feed.

c. The amount of water in a full bathtub.

- What instrument would you use if you wanted to measure the following?
- a. liquid medicine for a baby.
- b. milk for a pudding recipe.
- c. water to dilute a packet of powdered cooldrink.
- 8. What is a kilolitre? Name six things that we would measure in kilolitres.

	Ū	f.
	b.	Ġ
	a.	d.

9. Arrange the capacities of the containers from the least to the most.

۲

500 ml cooldrink	
5 kilolitre water tank	
75 ml medicine	
2 litre milk jug 2 litre tank of a 75 ml medicine 5 kilolitre water 500 ml fire engine	
2 litre milk jug	

Problem solving

My mother paid R5.50 per 500 ml of fruit juice.
We drank seven eighths of the 2 litre fruit juice.
What is left? Give your answer in millimetres. What is the cost of the juice that has been drunk?

- Find out how much you pay per kilolitre water or ask any family member or friend. How much water do they use in a month? What does it cost?

166

28 29 30

10 11 12

.m

80

-

s

-

2





Mathematics Grade 6 Cut-out 2								
Ο	0	0	0	0	0	0	0	0
0	0	0	0	Ο	Ο	Ο	0	0
0	0	0	0	Ο	0	Ο	0	Ο
0	0	0	0	Ο	0	Ο	0	Ο
_	2	3	4	വ	9		00	6
0	0	0	Ο	0	0	0	0	0
0	0	0	Ο	Ο	Ο	Ο	0	0
0	0	0	0	Ο	Ο	Ο	0	0
_	2	C	4	ß	9		00	6
0	0	0	0	0	0	0	0	Ο
0	0	0	0	Ο	0	Ο	0	Ο
_	\sim	S	4	ß	9		00	6
0	0	0	0	0	0	0	0	0
_	2	S	4	ß	9		00	6
—	2	S	4	വ	9		∞	6



Mathematics Grade 6

۲

Cut-out 3

۲

Note: Make dice from these Cut-outs. After assembling the dice, keep them in a safe place because you will use it throughout the year.



۲





Mathematics Grade 6

Cut-out 4



Math	ematics (Cu	t-out 5	
1 2	1 4	1 4	<u>1</u> 5	1 25	1 100
<u>1</u> 5	1 2	1 10	1 25	1 <u>1</u> 100	1 10
500 ml of a litre	750 mm of a metre	250 ml of a litre	250 g of a kilogram	125 ml of a litre	125 mm of a metre
200 ml of a litre	200 mm of a metre	100 ml of a litre	100 g of a kilogram	10 ml of a litre	10 mm of a metre
\bigcirc	\bigcirc	\bigcirc	\bigotimes		\bigcirc
\bigcirc					

